B.Sc. MATHEMATICS

(Effective from the academic year 2024 - 2025)

Vision of the Department:

To enhance the logical reasoning, analytical thinking and problem-solving skills of the students and prepare them to be lifelong learners who will be socially responsible to navigate the complexities of a rapidly changing society.

Objectives:

- To provide an in-depth knowledge in Mathematics.
- To acquire skill and competency in practical.
- To expose the students to the recent trends in Mathematics and related sciences.
- To motivate the students for life-long learning and train students towards research.
- To train economically backward students and make them eligible for higher education and job opportunities.
- To tap out the talents through extracurricular and co-curricular activities.
- To get sensitized to social and environmental realities.

Eligibility for admission to B.Sc. Mathematics:

- A pass in higher secondary with Mathematics, Physics, Chemistry and Biology (Category I).
- A pass in higher secondary with Mathematics, Physics, Chemistry and Computer Science (Category II).

Allied Subjects:

- 1. Physics
- 2. Mathematical Statistics

Eligibility to take Allied Subjects:

Students who belong to category I and II are eligible to take both the Allied papers.

Highlights of the Revamped Curriculum:

- ➤ Student-centric, meeting the demands of industry & society, incorporating industrial components, hands-on training, skill enhancement modules, industrial project, exposure to entrepreneurial skills, training for competitive examinations, sustaining the quality of the core components and incorporating application-oriented content wherever required.
- ➤ The Core subjects include latest developments in the education and scientific front, practical training, catering to the needs of stakeholders with research aptitude.
- ➤ The curriculum is designed to strengthen the industry-academia interface and provide more job opportunities for the students.
- ➤ The Internship during the second-year vacation will help the students gain valuable work experience that connects classroom knowledge to real world experience and to narrow down and focus on the career path.
- > State-of Art techniques from the streams of multi-disciplinary, cross disciplinary and inter disciplinary nature are incorporated as Elective and Skill Enhancement Courses, covering conventional topics to the application oriented.

Value additions in the Revamped Curriculum:

Semester	Newly introduced Components	Outcome / Benefits
I	Foundation Course in Mathematics To ease the transition of learning from higher secondary to higher education, providing an overview of the pedagogy of learning Mathematics and its concepts.	 Instil confidence among students Create interest for the subject
II, III & IV	Skill Enhancement papers (Discipline centric/ Generic / Entrepreneurial)	 Industry ready graduates Skilled human resource Students are equipped with essential skills to make them employable Entrepreneurial skill training will provide an opportunity for independent livelihood Generates self – employment Create small scale entrepreneurs Skill training to girls leads to women empowerment Discipline centric skill will improve the technical knowhow of solving real life problems
I, II, III, IV, V & VI	Elective papers- An open choice of topics categorized under Generic and Discipline Centric	 Strengthening the domain knowledge Introducing the stakeholders to the state-of art techniques from the

		streams of multi-disciplinary, cross disciplinary and inter disciplinary nature • Emerging topics related to industry are introduced to facilitate advanced learning in the respective domains
II Year Vacation activity	Internship / Industrial Training	• Practical training at the Industry/ Educational institutions, enable the students gain professional experience and become responsible citizens.
VI Semester	Introduction of Professional Competency component	• 'General Awareness for Competitive Examinations' caters to the needs of the aspirants towards most sought - after services of the nation viz, UPSC, ISS, CDS, NDA, Banking Services, CAT, TNPSC group services, etc.

Skills acquire	d from	Knowledge,	Problem	Solving,	Analytical	ability,	Professional
the Courses		Competency,	Profession	al Commu	nication and	Transfer	rable Skill

TANSCHE BASED PROGRAMME STRUCTURE FOR B.Sc. MATHEMATICS (For the candidates admitted from the academic year 2024-2025)

Sem	Par	Category	Course Code	Course Title	Hours/	Exam	Hours	Credits	Marks
	t				Week	Th	Pr		
I	I	Tamil/ Language	ULTAA24	Tamil Paper – I	5	3	-	3	40+60
	II	English	UENGA24	English Paper – I	6	3	-	3	40+60
	III Core Course I UCMAA24 Algebra and Trigor			Algebra and Trigonometry	4	3	-	4	40+60
		Core Course II	UCMAB24	Differential Calculus	4	3	-	4	40+60
		Generic Elective I	UAPHA24	Allied Physics - I	4	3	-	3	40+60
			UAPHB24	Allied Physics Practical	2	-	3	2	40+60
	IV	Foundation Course (FC)	UFMA24	FC: Bridge Mathematics	2	2	-	2	40+60
		Skill Enhancement Course (SEC-1)	USMA124	SEC: Office Automation	2	-	2	2	100
		Value Education	UVEDA22*	Value Education	1	-	-	-	-
				Total	30			23	800
II	I	Tamil/ Language	ULTAB24	Tamil Paper – II	6	3	-	3	40+60
	II	English	UENGB24	English Paper – II	5	3	-	3	40+60
	III	Core Course III	UCMAC24	Analytical Geometry (Two & Three Dimensions)	4	3	-	4	40+60
		Core Course IV	UCMAD24	Integral Calculus	4	3	-	4	40+60
		Generic Elective UAPHC24 Allied Physics - II				3	-	3	40+60
			UAPHD24	Allied Physics Practical	2	-	3	2	40+60
	IV	Skill Enhancement Course (SEC-2)	USMA224	SEC: Computational Mathematics	2	-	2	2	100
		Skill Enhancement Course (SEC-3)	USMA324	SEC: Problem Solving Techniques	2	-	2	2	100
		Value Education	UVEDA22**	Value Education	1	-	-	-	-
				Total	30			21	800
III	I	Tamil/ Language	ULTAC24	Tamil Paper - III	5	3	-	3	40+60
	II	English	UENGC24	English Paper - III	6	3	-	3	40+60
	III	Core Course V	UCMAE24	Vector Calculus and its Applications	5	3	-	5	40+60
		Core Course VI	UCMAF24	Differential Equations and Applications	5	3	-	5	40+60
		Discipline Specific Elective I	UAMSA24	Allied III: Mathematical Statistics	4	3	-	3	40+60
	IV	Skill Enhancement Course (SEC-4)	USMA424	SEC: Statistics with R	2	-	2	2	100
		Skill Enhancement Course (SEC-5)	USMA524	SEC: Quick Math-I	1	1	-	1	100
		EVS	UNEVS24*	Environmental Studies	1	-	-	-	-
		Value Education	UVEDA22***	Value Education	1	-	-	-	-
				Total	30			22	700

Sem	Part	Category	Course Code Course Title		Hours/ Week		am urs	Credits	Marks	
						Th	Pr			
IV	I	Tamil/ Language	ULTAD24	Tamil Paper - IV	6	3	_	3	40+60	
	II	English	UENGD24	English Paper - IV	5	3	-	3	40+60	
	III	Core Course VII	UCMAG24	Industrial Statistics	5	3	_	5	40+60	
		Core Course VIII	UCMAH24	Elements of Mathematical Analysis	5	3	-	5	40+60	
		Discipline Specific Elective II	UANMA24	Allied IV: Numerical Methods and Transforms	4	3	-	4	40+60	
	IV	Skill Enhancement Course (SEC-6)	USMA624	Numerical Methods Practical	2	3	-	2	100	
		Skill Enhancement Course (SEC-7)	USMA724	Quick Math-II	1	1	-	1	100	
		EVS	UNEVS24	Environmental Studies	1	2	-	2	40+60	
		Value Education	UVEDA22** **	Value Education	1	-	-	-	-	
				Total	30			25	800	
V	III	Core Course IX	UCMAI24	Abstract Algebra	5	3	-	4	40+60	
		Core Course X	UCMAJ24	Real Analysis	5	3	-	4	40+60	
		Core Course XI	UCMAK24	Mathematical Modeling	5	3	-	4	40+60	
		Core Course XII	UCMAL24	Optimization Techniques	5	3	-	4	40+60	
		Discipline Specific Elective III	UEMAA24 / UEMAB24	Graph Theory and Applications Number Theory	4	3	-	3	40+60	
		Generic Elective	UEMAC24	Programming in C	3	3	-	2	40+60	
		III	UEMAD24	Elective Practical : C	2	-	3	1	40+60	
	IV	Value Education	UVEDA22****	Value Education	1	-	-	-	-	
		Summer Internship/Industr ial Training	UIMA24	Internship	-	-	-	2	100	
		<u> </u>	•	Total	30			24	800	
VI	III	Core Course XIII	UCMAL24	Linear Algebra	6	3	-	4	40+60	
		Core Course XIV	UCMAM24	Complex Analysis	6	3	-	4	40+60	
		Core Course XV	UCMAN24	Mechanics	6	3	-	4	40+60	
		Discipline Specific Elective IV	UEMAE24 / UEMAF24	Fuzzy Sets & its Applications Discrete Mathematics	4	3	-	3	40+60	
		Generic Elective IV	UEMAG24	Object Oriented Programming Using C++	3	3	-	2	40+60	
		D=-f: 1	UEMAH24	Elective Practical :C++	2 2	-	3	1	40+60	
		Professional Competency (SEC-8)	UPMA24	Mathematics for Completive Examinations	2	2	_	2	40+60	
	IV		UVEDA22	Value Education	1		-	2	40+60	
	V	Extension Activit	ries		-	-		1	-	
				Total	30			23	800	
				Grand Total				140	4800/ 4600	

- Any one course of the following to be completed during III semester (15 hours teaching and 15 hours activities):
 - i) Fundamentals of Computer and MS Office (Computer Science & B.C.A)
 - Advanced Excel
 - Multimedia Using Flash
 - Photoshop
 - ii) Health and Fitness (Physical Education)

Methods of Evaluation								
S. No.	O. Category Assessment Tool		Maximum Marks	Exam Theory	Weightage			
1	Core Courses/Generic	I Continuous Assessment (ICA)	50	1 ½ h	35			
	& Discipline Specific Electives/Allied	II Continuous Assessment (IICA)	50	1 ½ h		40		
		Innovative Component (IC)	5	-	5			
		End Semester Examination	100	3 h		60		
	Foundation	I Continuous Assessment (ICA)	30	1 h				
	Course/Professional Competency	II Continuous Assessment (IICA)	30	1 h	35			
2		Innovative Component (IC)	5	-	5	40		
		End Semester Examination	60	2 h		60		
		Continuous Assessment (IICA)	25	1 h		40		
3	EVS	Innovative Component (IC)	25	-				
		End Semester Examination	60	2 h		60		

Activity-based Assessment for Skill Enhancement Courses:

Activity 1 for Unit I: (Nature of Activity-Lab practice)	 20 marks
Activity 2 for Unit II: (Nature of Activity-Lab practice)	 20 marks
Activity 3 for Unit III: (Nature of Activity-Lab practice)	 20 marks
Activity 4 for Unit IV: (Nature of Activity-Lab practice)	 20 marks
Activity 5 for Unit V: (Nature of Activity-Lab practice)	 20 marks

Nature of Activity – Field visit/Industrial visit/Project (individual or group)/Exhibits/Model making/Hands on training/Lab practice/Product making/Extempore/Block and Tackle/Debate/Report writing/Case study/Interpretation of data or results/Transcription/Quiz (LMS)/Problem solving/Designing/Role play/Start-up proposal/Research proposal/Poster presentation/Oral presentation (live or video recorded)/Survey (Field or Online)/Group discussion/Problem solving/Problem formulation/Interviews/Concept mapping/Mind mapping /Promoting public awareness etc.

Record of Assessment will be maintained by the course instructors and verified by the Head of the department.

	Cognitive Levels of Assessment						
Recall (K1)	Simple definitions, MCQ, Recall steps, Concept definitions						
Understand/	MCQ, True/False, Short essays, Concept explanations, short summary or						
Comprehend (K2)	overview						
Application (K3)	cation (K3) Suggest idea/concept with examples, suggest formulae, Solve problems,						
	Observe, Explain						
Analyze (K4)	Problem-solving questions, finish a procedure in many steps, Differentiate						
	between various ideas, Map knowledge						
Evaluate (K5)	Longer essay/Evaluation essay, Critique or justify with pros and cons						
Create (K6)	Check knowledge in specific or offbeat situations, Discussion, Debating or						
	Presentations						

PROGRAMME OUTCOMES (PO)

On completion of the UG Programme, the students will be able to:

PO1: Attain knowledge and understand the principles and concepts in the respective discipline.

PO2: Acquire and apply analytical, critical and creative thinking, and problem solving skills

PO3: Effectively communicate general and discipline-specific information, ideas and opinions.

PO4: Appreciate biodiversity and enhance eco-consciousness for sustainable development of the society.

PO5: Emulate positive social values and exercise leadership qualities and team work.

PO6: Pursue higher knowledge, qualify professionally, enhance entrepreneurial skills and contribute towards the needs of the society.

PROGRAMME SPECIFIC OUTCOMES (PSO)

On completion of the UG Programme in Chemistry, the students will be able to: PSO1: Disciplinary knowledge

Capability to demonstrate comprehensive knowledge of Mathematics and understand one or more disciplines which form a part of an undergraduate programme of study.

PSO2: Communication skills

- i. Ability to communicate various concepts of mathematics effectively using examples and their geometrical visualizations.
- ii. Ability to use mathematics as a precise language of communication in other branches of human knowledge and communicate long standing unsolved problems in mathematics.
- iii. Ability to show the importance of mathematics as precursor to various scientific developments since the beginning of the civilization.

iv. Ability to explain the development of mathematics in the civilizational context and its role as queen of all sciences.

PSO3: Critical thinking

Ability to employ critical thinking in understanding the concepts in every area of Mathematics.

PSO4: Analytical thinking

Ability to analyze the results and apply them in various problems appearing in different branches of mathematics.

PSO5: Problem solving

- i. Capability to solve problems in computer graphics using concepts of linear algebra.
- ii. Capability to solve various models such as growth and decay models, radioactive decay model, drug assimilation, LCR circuits and population models using techniques of differential equations.
- iii. Ability to solve linear system of equations, linear programming problems & network flow problems.
- iv. Ability to provide new solutions using the domain knowledge of mathematics.

PSO6: Digital literacy

- i. Capability to understand and apply the programming concepts of C and C++ to mathematical investigations and problem solving.
 - ii. Capability to understand and apply the programming concepts of R to statistical investigations and problem solving.

PSO	PO									
150	PO1	PO2	PO3	PO4	PO5	PO6				
PSO1	Н	Н	Н	M	L	Н				
PSO2	Н	Н	Н	L	M	Н				
PSO3	Н	Н	Н	L	M	Н				
PSO4	Н	Н	Н	M	L	Н				
PSO5	Н	Н	Н	M	L	Н				
PSO6	Н	Н	Н	M	Н	Н				

(L-Low (1), M-Moderate (2), H-High (3))

Consolidated Semester wise and Component wise Credit distribution

Component wife circuit distribution							
Parts	Sem I	Sem II	Sem III	Sem IV	Sem V	Sem VI	Total Credits
Part I	3	3	3	3	-	-	12
Part II	3	3	3	3	-	-	12
Part III	13	13	13	14	22	18	93
Part IV	4	4	3	5	2	4	22
Part V	-	-	-	-	-	1	1
Other	-	-	2	-	-	-	2
Total	23	23	23	25	24	23	142

Part I, II, and Part III components will be separately considered for CGPA calculation and classification for the undergraduate programme and the other components. IV, V must be completed during the duration of the programme as per the norms, to be eligible for obtaining the UG degree.

Title of the	ALGEBRA AND TRIGONOMETRY						
Course							
Paper No.	Core I						
Category	Core	Year	I	Credits	4	Course	UCMAA24
		Semester	I			Code	
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total
per week	3	1		-			4
Prerequisites	Higher Se	condary Ma	them	atics			
Objectives of the							
course	• Bas	ic ideas on the	he Tł	neory of Eq	uations, N	Iatrices and	Number Theory.
	• Kno	owledge to	fine	d expansio	ons of t	rigonometry	functions, solve
	theo	oretical and a	applie	ed problems	S.		
0 0 4	TINITO T /	10.1	(TT-4	T/A T/A A	T7.4)		
Course Outline	UNIT I (1	•		, K2, K3 &	(K4)		
	•	Equations					
		ocal Equatio	ons				
	1.2 Standa		. .		4:		
		sing the roots					
		sing the root	ts or	a given equ	auon		
	1.5 Removal of terms1.6 Approximate solutions of roots of polynomials by Horner's method						
	1.0 Appro.	XIIIIaic Soluii	10118)1 100ts 01 p	orynonna	is by Hollie	1 Sillethod
	Unit II (1	2 hours)	(K1	, K2, K3 &	K4)		
	Series						
	2.1 Summa	tion of Serie	es - Ia	ntroduction			
	2.2 Summa	tion of Serie	es: Bi	nomial			
		tion of Serie		-			
		tion of Serie		-	eries (The	eorems with	out proof)
		ms on Sumn	natio	n of Series			
	2.6 Approx	ximations					
	TINITO TT	(101		(171 170 17	2 0 T74\		
		(12 hours)) ((K1, K2, K	3 & K4)		
	Matrices						
		teristic equat values and Ei		Vactors			
			_		n Theores	n (Statamar	nt only)
		matrices - C powers of a			ni i neorei	ıı (Statemer	it Offiy)
		of a square			or 3		
		alization of a			O1 J		
	5.0 Diagon	anzanon or a	u squ	uic mauna			

	UNIT IV (12 hours) (1	K1, K2, K3 & K4)					
	Expansions of Trigonomet	ric Function					
	4.1 Expansions of $\sin n\theta$ in p						
	.2 Expansions of $\cos n\theta$ in powers of $\sin \theta$, $\cos \theta$						
	4.3 Expansion of tan $n\theta$ in ten						
	4.4 Expansions of $\cos^n \theta$, $\sin^n \theta$						
	4.5 Expansions of $\tan(\theta_1 + \theta_2 +$						
	4.6 Expansions of $\sin\theta$, $\cos\theta$	and $\tan\theta$ in terms of θ					
	· · · · · · · · · · · · · · · · · · ·	K1, K2, K3 & K4)					
	Hyperbolic Functions						
	5.1 Formulae, properties of H	* *					
	5.2 Relation between hyperbo						
	5.3 Inverse Hyperbolic functi	ions					
	5.4 Formulae, properties of In	* *					
	5.5 Logarithm of complex qu						
	5.6 Summation of trigonomet	tric series					
Extended Professiona	al Component (isa part of	Questions related to the above topics, from					
	only, not to beincluded in	various competitive examinations UPSC/JAM					
theexternal examinat		/TNPSC and others to be solved					
question paper)		(To be discussed during the Tutorial hours)					
Recommended	1. T.K. Manickavachago	om Pillay and others - Algebra -Volumes I and II -					
Text	_	ers and Publishers Pvt. Ltd., Chennai – Copyright					
	2013.	1, 0					
	2. S. Narayanan and T.	K. Manickavachagom Pillay – Trigonometry – S.					
		and Publishers Pvt. Ltd., Chennai - Reprint 2006.					
		_					
ReferenceBooks	1. W.S. Burnstine and A.	W. Panton, Theory of equations					
	2. David C. Lay, Linear	r Algebra and its Applications, 3rd Ed., Pearson					
	Education Asia, Indian	Reprint, 2007					
	3. G.B. Thomas and R.I.	L. Finney, Calculus, 9th Ed., Pearson Education,					
	Delhi, 2005						
	4. C. V. Durell and	A. Robson, Advanced Trigonometry, Courier					
	Corporation, 2003						
	5. J. Stewart, L. Redli	n, and S. Watson, Algebra and Trigonometry,					
	Cengage Learning, 20	12.					
Website and e-	1. https://nptel.ac.in						
learning source	2. <u>www.coursera.org</u>						
	3. https://swayam.gov.in	<u>n/</u>					

On completion of the course, the students should be able to

CO1: Classify and Solve reciprocal equations.

CO2: Find the sum of binomial, exponential and logarithmic series.

CO3: Find Eigen values, eigen vectors, verify Cayley – Hamilton theorem and diagonalize a given matrix.

CO4: Expand the powers and multiples of trigonometric functions in terms of sine and cosine

CO5: Determine relationship between circular and hyperbolic functions and the summation of trigonometric series

CO	PO1	PO2	PO3	PO4	PO5	PO6
CO1	Н	Н	Н	M	L	Н
CO2	Н	Н	Н	M	M	Н
CO3	Н	Н	Н	Н	M	Н
CO4	Н	Н	Н	M	M	Н
CO5	Н	Н	Н	M	M	Н

СО	PSO								
	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	M	L	Н	L			
CO2	Н	Н	Н	M	Н	L			
CO3	M	M	Н	Н	Н	L			
CO4	Н	M	M	Н	Н	L			
CO5	Н	Н	M	M	Н	L			

Title of the			DIF	FERENTL	AL CAL	CULUS		
Course								
Paper No.	Core II							
Category	Core	Year	I	Credits	4	Course	UCMAB24	
		Semester	I			Code		
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total	
per week	3	1		-			4	
Prerequisites	Higher Se	condary Ma	them	atics				
Objectives of the	 To gain 	the basic sk	ills o	f differentia	ation, succ	essive diffe	erentiation, and their	
course	applicat	tions.						
							, evolutes, involutes	
	and pol	ar co-ordinat	tes ar	nd in solvin	g related p	problems.		
Course Outline	TINITE T	12 h arrea)	(T /	1 I/2 I/2	0_ TZ 4)			
Course Outline	`	12 hours) e Differenti	-	1, K2, K3	X K4)			
		ction (Revie			ante)			
		derivative -						
		nal expression		idaid iesuit	3			
		-		mation				
	1.4 Trigonometrical transformation1.5 Formation of equations involving derivatives							
	1.6 Leibnitz formula for the n^{th} derivative of a product							
					1			
	UNIT II	(12 hours)	(]	K1, K2, K3	3 & K4)			
	Partial D	ifferentiatio	on					
	.1 Partial d							
		sive partial d						
		n of a functi						
		n of a functi						
		ifferential co	effic	ient - A spe	ecial case			
	2.6 Implici	t Functions						
	TINITE III	[(12 h anna)		(IZ1 IZ) IZ	2 0 174)			
		(12 hours)		(K1, K2, K	3 & K4)			
		ferentiation geneous func						
	,	derivatives o			wo variahl	les		
		a and Minim						
		a and Minim					inued)	
		ge's method				`		
		ge's method			-		ed)	

	UNIT IV (12 hours) (H	(1, K2, K3 & K4)						
	Curvature	11, 112, 110 (3 11 1)						
	4.1 Definition of Curvature							
	4.2 Radius of Curvature in C	artesian coordinates						
	4.3 Radius of Curvature in Po							
	4 Centre of Curvature							
	4.5 Circle of Curvature							
	4.6 Evolutes and Involutes							
	UNIT V (12 hours) (K1, K2, K3 & K4)							
	Envelope	, ,						
	5.1 Envelope – Definition							
	4.2 Method of finding the en	velope						
	4.3 Envelope of one parameter	=						
		er family of curves (Continued)						
	4.5 Envelope of two paramet	` '						
	4.6 Application of Envelope	<u> •</u>						
Extanded Profession	al Component (isa part of	Questions related to the above topics, from						
	only, not to beincluded in	various competitive examinations UPSC/JAM						
theexternal examinat		/TNPSC and others to be solved						
question paper)	HOH	(To be discussed during the Tutorial hours)						
question paper)		(10 be discussed during the Tutorial hours)						
Recommended	S. Narayanan and Manickav	achagom Pillai T.K - Calculus (Volume I,II&III) -						
Text	1	Publishers Pvt. Ltd., Chennai - Reprint 2009.						
ReferenceBooks								
Reference Dooks	1 N.D. Rali Differenti	al Calculus - Volume I - Lakshmi Publication - 3rd						
	Edition 2000	ar Calculus - Volume 1 - Laksinin 1 uoncation - 3						
		- Margham Publications - Reprint 2005.						
		and S. Davis, Calculus, John Wiley and Sons, Inc.,						
	2002.	ind S. Davis, Calculus, John Whey and Sons, Inc.,						
		L. Finney, Calculus, Pearson Education, 2010.						
		adley and K. J. Smith, Calculus, 3rd Ed., Dorling						
	· ·	Ltd. (Pearson Education), Delhi, 2007.						
	6.	La. (1 carson Laucanon), Denn, 2007.						
Website and e-	J.							
learning source	1. https://nptel.ac.in/							
Tour many source	2. www.coursera.org							
	3. https://swayam.gov.in							
	_ : <u></u>							
1	i							

On completion of the course, the students should be able to

CO1: Find the nth derivative, form equations involving derivatives & apply Leibnitz formula

CO2: Find the partial derivative and total derivative coefficient

CO3: Determine maxima and minima of functions of two variables and to use the Lagrange's method of undetermined multipliers

CO4: Find the envelope of a given family of curves

CO5: Find the evolutes & involutes, & to find the radius of curvature using polar co-ordinates

	PO									
CO	PO1	PO2	PO3	PO4	PO5	PO6				
CO1	Н	Н	Н	M	M	Н				
CO2	Н	Н	Н	M	M	Н				
CO3	Н	Н	Н	M	M	Н				
CO4	Н	Н	Н	M	M	Н				
CO5	Н	Н	Н	M	M	Н				

	PSO									
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6				
CO1	Н	Н	Н	Н	Н	L				
CO ₂	Н	M	Н	M	Н	L				
CO3	Н	Н	M	M	Н	L				
CO4	Н	M	M	M	Н	L				
CO5	Н	M	Н	Н	Н	L				

Title of the		F	C: B I	RIDGE M	ATHEM	ATICS			
Course									
Paper No.	FC					ı			
Category	Foundation		I	Credits	2	Course	UFMA24		
	Course	Semester	I			Code			
Instructional hours	Lecture	Tutorial		Lab Pra	ctice	Total			
per week	2	-		-		2			
Prerequisites	Higher Seco	ndary Math	emat	ics					
Objectives of the			and t	facilitate tr	ansition f	rom higher	secondary to		
course		y education							
			ce an	nong stakel	nolders ar	nd inculcate	interest for		
		ematics							
Course Outline	UNIT I (6 h	•							
	•	omial theore	m, G	eneral tern	n, middle	term, probl	ems based on these		
	concepts								
	Unit II (6 ho	urc)							
	Sequences an	•	ores	sions)-Fun	damental	nrincinle o	f counting.		
	Factorial n	a series (110	75103	sions) i un	aamema	principie o	Counting		
	UNIT-III: (6	(hours)							
	Permutations and combinations-Derivation of formulae and their connection						l their connections-		
							ents within groups-		
	formation of				1	8	O I		
	UNIT-IV: (6	hours)							
	Trigonometry	: Introduc	tion	to trigon	ometric	ratios, pr	oof of sin(A+B),		
							e angles, $\sin(2A)$,		
	, , , ,					•	d product into sum		
	formulae, inv	erse trigono	metri	c functions	s, sine rul	e and cosin	e rule.		
	TINITE TOO								
	UNIT-V(6 h	•	1.0	1 1	1.1	1.00			
					-		tion, first principle,		
							on of derivatives,		
	integration - p	Moduct Tule	anu s	substitutioi	i memoa.				
D . 1.15 C .	1.0	(*		0	1 . 1	.1 1			
Extended Professiona	-	-		_			topics, from		
internal component only, not to beincluded in the external examination various competitive examinations UPSC/JAM/TNPSC and others to be solved									
question paper)	1011						utorial hours)		
question paper)				(10 be uls	cussea at	armg uit 1	atoriai nours)		
Recommended	1. NCERT cla	acc XI and X		vt hooks					
	2. Any State 1				ks of clas	ss XI and X	П		
2021	This state i	Source Tyluth	omul	.cs ichi boc	no or cias	no 111 unu 11			

Website and e-	1. https://nptel.ac.in
learning source	2. <u>www.coursera.org</u>
	3. https://swayam.gov.in/

On completion of the course, the students should be able to

CO1: Understand the operators of finite differences and express any value of y in terms of the forward differences of y_0 and the backward differences of y_n .

CO2: Apply interpolating techniques for equal intervals by Newton's method.

CO3: Apply central difference formulae to get the intermediate values of given data.

CO4: Apply interpolating techniques for unequal intervals by divided difference formula and Lagrange's interpolation formula.

CO5: Evaluate the gradient at any point of a graph using numerical differentiation and find the area under curved surface, velocity, etc. using numerical integration.

	PO									
CO	PO1	PO2	PO3	PO4	PO5	PO6				
CO1	Н	Н	Н	M	L	Н				
CO2	Н	Н	Н	M	M	Н				
CO3	Н	Н	Н	Н	M	Н				
CO4	Н	Н	Н	M	M	Н				
CO5	Н	Н	Н	M	M	Н				

	PSO								
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	M	M	Н	L			
CO2	Н	Н	M	Н	Н	L			
CO ₃	Н	Н	M	Н	Н	L			
CO4	Н	Н	M	Н	Н	L			
CO5	Н	Н	M	M	Н	L			

Title of the	SKILL	ENHANC	EME	ENT COU	RSE: OF	FICE AU	TOMATION		
Course					102.01	1021101			
Paper No.	SEC 1								
Category	Skill	Year	II	Credits	2	Course	USMA124		
	Enhancement	Semester	_	0 - 0 0 - 0 0	_	Code			
	Course	Schiester				0.000			
Instructional hours		Tutorial		Lab Prac	ctice		Total		
per week		_		2			2		
Prerequisites	Higher Second	lary Mathe	mati	cs					
Objectives of the		·			ented cour	se rather th	nan regular class		
course	room tea	_	пур	ractice offe	inca cour	se rather ti	ian regular class		
course		_	autar	Skills for	etudante a	nd to anha	nce their skills in		
		To introduce Computer Skills for students and to enhance their skills in propering Word Excel and Power point presentations.							
	preparii	preparing Word, Excel and Power point presentations							
Course Outline	1. Introdu	ctory conc	epts:	Hardware	and Soft	ware - Me	mory unit – CPU-		
		1. Introductory concepts: Hardware and Software - Memory unit - CPU-Input Devices: Keyboard, Mouse and Scanner. Output devices:							
	_	Monitor, Printer. Introduction to Operating systems							
		2. Word Processing: File menu operations - Editing text – tools,							
		formatting, bullets and numbering - Spell Checker - Document							
	formatting – Paragraph alignment, indentation, headers and footers,								
		g – Previev				100011911, 110	, , , , , , , , , , , , , , , , , , ,		
		_			•	text and	data, formatting,		
	_	ting; Formi			_		_		
	-	-		_	_		ysis tables,		
			_	_	-	_	ta analytics.		
							- Understanding		
		pecasting of			-		_		
				_		_	pictures - Slide		
		on – Anim	•	•	_	•	_		
Extended Professiona	•						topics, from		
internal component of	_	_		-			onsUPSC/JAM		
theexternal examinat	•				-	to be solve			
question paper)							utorial hours)		
Tarray						6	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,		
Recommended	Peter Norton, "I	Introduction	n to (Computers	"-Tata N	IcGraw-Hi	ll, 7 th Edition, 2017		
Text									
	Jennifer Ackern		Guy	Hat-Davis	s, Curt Sir	nmons, "M	licrosoft 2003",		
	Tata McGraw-	Hill.							
Website and e-	1. https://	nptel.ac.in/	/						
		_							
learning source		oursera.org swayam.go	_						
	5. <u>mups://</u>	<u>swayam.gc</u>	<u> </u>						

On completion of the course, the students should be able to

CO1: Understand the basics of computer systems and its components

CO2: Understand and apply the basic concepts of a word processing package

CO3: Understand and apply the basic concepts of electronic spreadsheet software

CO4: Understand and apply the basic concepts of database management system

CO5: Understand and create a presentation using PowerPoint tool.

	PO									
CO	PO1	PO2	PO3	PO4	PO5	PO6				
CO1	Н	Н	Н	M	M	Н				
CO2	Н	Н	Н	M	M	Н				
CO3	Н	Н	Н	M	M	Н				
CO4	Н	Н	Н	M	M	Н				
CO5	Н	Н	Н	M	M	Н				

	PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	Н	Н	L	Н		
CO2	Н	M	Н	M	M	Н		
CO3	Н	M	Н	M	M	Н		
CO4	Н	Н	Н	Н	Н	Н		
CO5	Н	M	Н	Н	L	Н		

Title of the	A	NALYTICA	AL G	EOMETR	Y (Two &	& Three Di	mensions)
Course							
Paper No.	Core III			1			
Category	Core	Year	I	Credits	4	Course	UCMAC24
		Semester	II			Code	
Instructional hours	Lecture	Tutorial		Lab Prac	ctice	Total	
per week	3	1		-		4	
Prerequisites	Higher Se	condary Ma	them	atics			
Objectives of the	 To 	gain necessa	ry sk	ills to analy	se charac	teristics and	l properties of two-
course	and	three-dimer	siona	al geometric	shapes.		
	• To	present math	emat	ical argume	ents about	geometric	relationships.
	To sol	ve real world	d prol	blems on ge	ometry a	nd its applic	eations
		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,					
Course Outline		(12 hours) (K1, I	K2, K3 & K	(4)		
	Conics	_					
	1.1 Pole, Pole						
		ate points ar	id coi	njugate line	S		
	1.3 Diamet		0				
		ate diameter	s of a	ın ellipse			
	1.5 Semi di		0.1				
	1.6 Conjug	ate diameter	s of h	ıyperbola			
	UNIT II ((12 hours) (1	K1, F	K2, K3 & K	(4)		
	Conics (c	continued)					
		coordinates					
	2.2 Genera	l polar equat	ion o	f a straight	line		
		quation of a		_			
	2.4 Equation	on of a straig	ht lin	e, circle, co	nic		
	2.5 Equation	on of chord,	tange	nt, normal			
	2.6 Equation	ons of the asy	ympto	otes of a hy	perbola		
		(12 hours) (K1,	K2, K3 & I	(4)		
	Planes						
	3.1 Planes						
	3.2 System						
		of Planes (C					
		of the perpe	ndicu	ılar plane			
	3.5 Projecti						
	3.6 Orthogo	onal projecti	on				

	TINUTE IN. (12 h) (IZ1	V2 V2 0 V4)				
	UNIT-IV: (12 hours) (K1, K2, K3 & K4) Planes and Lines 4.1 Representation of line 4.2 Angle between a line and a plane 4.3 Co – planar lines 4.4 Shortest distance between two skew lines 4.5 Length of the perpendicular line 4.6 Intersection of three planes					
	UNIT-V: (12 hours) (K1, 1) Sphere 5.1 Equation of a sphere-gen 5.2 Section of a sphere by a p 5.3 Equation of the circle 5.4 Tangent plane- angle of i 5.5 Condition for the orthogo 5.6 Radical plane	eral equation plane ntersection of two spheres				
	al Component (isa part of only, not to beincluded in ion	Questions related to the above topics, from various competitive examinations UPSC/JAM /TNPSC and others to be solved (To be discussed during the Tutorial hours)				
Recommended Text	Analytical Geometry Publishers,1997.	mi Duraipandian and D.Muhilan - 2 Dimensional, Emerald -ordinate Geometry of Three Dimensions,1923.				
ReferenceBooks	Pearson Publication, 2. Robert C. Yates, Ana New York, 1961. 3. Earl W. Swokowski a Analytic Geometry, T CA, USA, 2010. 4. William H. McCrea, Publications, Inc, New 5. John F. Randelph, Ca Publishing Company 6. Ralph Palmer Agnew	Analytical Geometry of Three Dimensions, Dover W York, 2006.				
Website and e- learning source	1. https://nptel.ac.in 2. www.coursera.org 3. https://swayam.gov.in					

On completion of the course, the students should be able to

CO1: Find pole, polar for conics, diameters, conjugate diameters for ellipse and hyperbola

CO2: Find the polar equations of straight line and circle, equations of chord, tangent and normal and to find the asymptotes of hyperbola.

CO3: Explain in detail the system of Planes

CO4: Explain in detail the system of Straight lines

CO5: Explain in detail the system of Spheres

СО	PO								
	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	M	L	Н			
CO2	Н	Н	Н	M	M	Н			
CO3	Н	Н	Н	Н	M	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	Н	Н	M	M	Н			

СО	PSO								
	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	M	L	Н	L			
CO2	Н	Н	Н	M	Н	L			
CO3	M	M	Н	Н	Н	L			
CO4	Н	M	M	Н	Н	L			
CO5	Н	Н	M	M	Н	L			

Title of the Course	INTEGRAL CALCULUS								
Paper No.	Core IV								
Category	Core	Year Semester	I	Credits	4	Course UCMAD24 Code			
Instructional hours	Lecture	Tutorial		Lab Prac	ctice	Total			
per week	3	1		-		4			
Prerequisites	Higher Se	condary Ma	them	atics		•			
Objectives of the course	integral Knowle	edge on inte s and impropedge about B o Determine	per in eta a	itegrals. nd Gamma	functions	and their ap	ions, double, triple		
	UNIT I (12 hours) (K1, K2, K3 & K4) Integration 1.1 Reduction formulae 1.2 Types, integration of product of powers of algebraic functions 1.3 Integration of product of powers of trigonometric functions 1.4 integration of product of powers of algebraic and logarithmic functions 1.5 Bernoulli's formula 1.6 Feyman's technique of integration								
	Unit II (12 hours) (K1, K2, K3 & K4) Double Integrals 2.1 Definition of double integrals 2.2 Evaluation of double integrals in Cartesian coordinates 2.3 Evaluation of double integrals in Cartesian coordinates (Continued) 2.4 Double integrals in polar coordinates 2.5 Double integrals in polar coordinates (Continued) 2.6 Change of order of integration								
	Triple int 3.1 Definiti 3.2 Evalua 3.3 Evalua 3.4 Areas o 3.5 Areas o	tegrals ion of Triple ition of triple ition of triple ition of triple of curved sur of curved sur e of variables	intege integer	grals grals in Car grals in pola (Continued	tesian coo ar coordin				

	UNIT IV: (12 hours) (K1, K	(2 K3 & K4)						
	Beta and Gamma functions							
		ns – infinite integral – definitions						
	4.2 Recurrence formula of Ga							
		.3 Properties of Beta and Gamma functions						
	-	4.4 Properties of Beta and Gamma functions (Continued)						
	4.5 Relation between Beta and Gamma functions							
	4.6 Applications of Beta and Gamma functions							
	UNIT-V: (12 hours) (K1, K2, K3 & K4)							
	Geometric Applications of	_						
	5.1 Areas under plane curves							
	_	s in Cartesian coordinates (Continued)						
	5.3 Area of a closed curve							
	5.4 Area of a closed curve (C	,						
	5.5 Areas in polar coordinate							
	5.6 Areas in polar coordinate	es (Continued)						
	al Component (isa part of only, not to beincluded in	Questions related to the above topics, from various competitive examinations UPSC/JAM						
theexternal examinat	ion	/TNPSC and others to be solved						
question paper)		(To be discussed during the Tutorial hours)						
Recommended								
Text		xavachagom Pillai T.K - Calculus (Volume I,II&III) and Publishers Pvt. Ltd., Chennai - Reprint 2009.						
ReferenceBooks	1 N.P. Bali - Integral	Calculus - Lakshmi Publication – Fifth Edition -						
	1985	Calculate Lakelinii Lacifeation Little Latifoli						
		s - Margham Publications - Reprint 2005.						
		and S. Davis, Calculus, John Wiley and Sons, Inc.,						
	2002.	•						
	4. G.B. Thomas and R.I.	. Finney, Calculus, Pearson Education, 2007.						
	5. D. Chatterjee, Integ McGraw Hill Publish	gral Calculus and Differential Equations, Tata- ing Company Ltd.						
		action to Laplace Transforms and Fourier Series,						
	Springer Undergraduate Mathematics Series, 2001 (second edition).							
Website and e-	1.https://nptel.ac.in/	,						
learning source	2. www.coursera.org							
	3. https://swayam.gov.in							

On completion of the course, the students should be able to

CO1: Determine the integrals of algebraic, trigonometric and logarithmic functions and to find the reduction formulae

CO2: Evaluate double and triple integrals and problems using change of order of integration

CO3: Solve multiple integrals and to find the areas of curved surfaces and volumes of solids of revolution

CO4: Explain beta and gamma functions and to use them in solving problems of integration

CO5: Explain Geometric and Physical applications of integral calculus.

	PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	Н	Н	Н	L		
CO2	Н	M	Н	M	Н	L		
CO3	Н	Н	M	M	Н	L		
CO4	Н	M	M	M	Н	L		
CO5	Н	M	Н	Н	Н	L		

	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO ₁	Н	Н	Н	M	M	Н		
CO ₂	Н	Н	Н	M	M	Н		
CO3	Н	Н	Н	M	M	Н		
CO4	Н	Н	Н	M	M	Н		
CO5	Н	Н	Н	M	M	Н		

Title of the Course	SKILL	ENHANCE		T COUR			UTATIONAL		
000250									
Paper No.	SEC 2			1	ı	ı	1		
Category	Skill	Year	I	Credits	2		USMA224		
	Enhancement	Semester	II			Code			
T 4 4° 1	Course	TD 4 1	т.	l D . 4					
Instructional	Lecture	Tutorial	La	b Practi	ce		Total 2		
hours per week	ILiahan Casan	dowy Mothers					<u> </u>		
Prerequisites Objectives of the	Higher Secon			1	4	- C 1			
Objectives of the					-		rogramming, thereby		
course			cai t	nınkıng	ΟI	the stude	ents with regard to		
	progran	•	to on	mlrytha m			concents of SCII AD		
		ematical inve	_		_	_	concepts of SCILAB		
			_		-		ndently and do in-		
		•				-	identity and do m-		
Course Outline		depth study of various notions of programming 1. Finding the roots of polynomial equations and system of equations							
	3. Finding sum of infinite series								
		sive Different			e va	ariable fun	ction		
	5. Partial of			C					
	6. Finding	Maxima and	l Min	ima					
Extended Professio	nal Component	(isa part	Que	stions rel	late	d to the al	pove topics, from		
of internal compone							nationsUPSC/JAM		
included in theexte	rnal examinatio	n				ers to be s			
question paper)			(To	be discu	ssec	d during th	ne Tutorial hours)		
	l					~ !! !	~		
Recommended							Consortin, 2010		
Text	Chapters 1 to 8	,	•						
	2. Plotting Usii	ng Schab – A	nope	n Source	Do	cument w	ww.openeering.com		
ReferenceBooks									
	_			-	phe	n L. Camp	bell, Jean-Philippe		
	Chancelier and						2		
		tion to Scilab	from	a Matlał) Us	ser's Point	of View by Eike		
	Rietsch.		: C	.:II. (2)		_ T_1. NT	D. 1.1. 1.1		
			1n Sc	ciiab, Che	etan	a Jain, Na	rosa Publishing		
Wahaita and a	House, New I								
Website and e-	1. https://nptel.								
learning source	2. www.course								
	3. https://swaya	ani.gov.III							
	I .								

On completion of the course, the students should be able to

CO1: Implement programs to find the roots of equations

CO2: Write programs to test the consistency of system of equations

CO3: Finding sum of infinite series using programming concepts

CO4: Perform Successive differentiation and Partial differential using programs

CO5: Use programs to find maxima and minima

	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO1	Н	Н	Н	M	M	Н		
CO2	Н	Н	Н	M	M	Н		
CO3	Н	Н	Н	M	M	Н		
CO4	Н	Н	Н	M	M	Н		
CO5	Н	Н	Н	M	M	Н		

	PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	Н	Н	L	Н		
CO ₂	Н	M	Н	M	M	Н		
CO3	Н	M	Н	M	M	Н		
CO4	Н	Н	Н	Н	Н	Н		
CO5	Н	M	Н	Н	L	Н		

Title of the	SKII	LL ENHAN	ICE:	MENT CO	OURSE:	PROBLE	M SOLVING			
Course	TECHNIQUES									
Paper No.	SEC 3									
Category	Skill	Year	I	Credits	2	Course	USMA324			
	Enhance	Semester	II			Code				
	ment									
	Course									
Instructional	Lecture	ecture Tutorial Lab Practice Total								
hours per week	-	-		2			2			
Prerequisites	Higher S	econdary M	Iathe	matics						
Objectives of the	The ai	m of this cou	ırse i	s to practice	e mathema	atics in soft	ware			
course										
Course Outline										
Journe Outline	1. Integration of single variable functions.									
	2. Double	2. Double Integration								
	3. Triple I	3. Triple Integration								
	4. Finding	4. Finding Radius of curvature.								
	5. Visualization of functions in 2D.									
	6. Visualization of three dimensional mathematical objects.									
Extended Professio	•	` •	art				ove topics, from			
of internal compone	-				-		ationsUPSC/JAM			
included in theexte	rnal exami	nation		/TNPSC	and othe	rs to be so	lved			
question paper)				(To be d	liscussed	during the	Tutorial hours)			
Recommended	1. Introdu	ction to Scila	ıb, M	ichael Baud	din From S	Scilab Cons	ortin, 2010			
Text	_	to 8 (Book		-						
	2. Plotting	Using Scila	.b — A	Anopen Sou	rce Docur	nent www.c	openeering.com			
ReferenceBooks	1. Modelii	ng and Simu	latior	in Scilab,	Stephen L	. Campbell	, Jean-Philippe			
		r and Ramin								
		oduction to S	Scilat	from a Ma	ıtlab User'	s Point of V	iew by Eike			
	Rietsch.	ad Dragrams	nina	in Soilah C	hatana Is	in Maraga I	Dublishing House			
	New Delh	-	ınııg	iii Sciiau, C	aicialla Ja	111, 1 N aIOSA I	Publishing House,			
Website and e-		itkgp.ac.in								
learning source	http://ocw									
	http://mat	hforum.org								

On completion of the course, the students should be able to

CO1: Integrate a function of single variable using Mathematical software.

CO2: perform Double Integration using Mathematical software

CO3: perform Triple Integration using Mathematical software

CO4: find Radius of Curvature using Mathematical software

CO5: Visualizing 2D and 3D figures using Mathematical software

	PO						
CO	PO1	PO2	PO3	PO4	PO5	PO6	
CO1	Н	Н	Н	M	M	Н	
CO ₂	Н	Н	Н	M	M	Н	
CO3	Н	Н	Н	M	M	Н	
CO4	Н	Н	Н	M	M	Н	
CO5	Н	Н	Н	M	M	Н	

	PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	Н	Н	L	Н		
CO2	Н	M	Н	M	L	Н		
CO3	Н	M	Н	M	L	Н		
CO4	Н	Н	Н	Н	L	Н		
CO5	Н	M	Н	Н	L	Н		

Title of the		VECTOR	R CA	LCULUS A	AND ITS	APPLICA	TIONS			
Course										
Paper No.	Core V	.					,			
Category	Core	Year	II	Credits	5	Course UCMAE24				
		Semester	III			Code				
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total			
per week	4	1		-			5			
Prerequisites		condary Ma								
Objectives of the					of vecto	ors, differen	ntial operators and			
Course		ivatives of v								
		acquire skill		•			•			
			and a	analyze the	physical	application	ns of derivatives of			
C O . 41'		tors.	1 170	172 0 174						
	UNIT I (15 hours) (K1, K2, K3 & K4)									
		Differentiation of Vectors .1 Vector and Scalar Point Function								
		.2 Derivative of a Vector								
				Tootors						
		1.3 Derivative of a Sum of Vectors 1.4 Derivative of a Product of a Scalar and a Vector Point Function								
	1.5 Derivative of a Scalar Product									
	1.6 Derivative of a Vector Product									
	UNIT II (1	15 hours) (K	1, K	2, K3 & K4	1)					
		ation of Vec								
	2.1 Vector	Operator 'de	el'							
	2.2 Gradiei	nt of a Scalar	r Poin	t Function						
	2.3 Divergo	ence of a vec	ctor							
	2.4 Curl of									
	2.5 Soleno	idal Vector								
	2.6 Irrotati	onal Vector								
	UNIT III ((15 hours) (1	K1, K	2, K3 & K	(4)					
	Vector Ide	entities and	Integ	ration of V	ectors					
	_	ian Operator	,							
	3.2 Vector									
		Identities Co								
		ion of Line I	_							
		ns on Line I	_	al						
	3.6 Work d	lone by a For	rce							

	UNIT IV (15 hours) (K1, K	2. K3 & K4)
	Integration of Vectors (Con	
	4.1 Definition of Surface Inte	
	4.2 Problems on Surface Inte	
	4.3 Problems on Surface Inte	=
	4.4 Definition of Volume Into	-
	4.5 Problems on Volume Inte	<u> </u>
	4.6 Problems on Volume Inte	<u> </u>
	UNIT V (15 hours) (K1, K2	, K3 & K4)
	Integral Theorems	
	5.1 Gauss's Divergence Theo	
	5.2 Application of Gauss's D	
	5.3 Stoke's Theorem-Verification of the state of the stat	
	5.4 Application of Stoke's Th	
	5.5 Green's Theorem in Two	
	5.6 Applications of Green's	Theorem in Two Dimensions
	al Component (isa part of only, not to be included in	Questions related to the above topics, from various competitive examinations UPSC/JAM /TNPSC and others to be solved
	ЮП	
question paper)		(To be discussed during the Tutorial hours)
Recommended	1. P. Duraipandian and	d Lakshmi Duraipandian – Vector Analysis –
Text	Emerald Publishers, F	
		1
ReferenceBooks	1. S. Narayanan and T. Analysis-S. Viswanathan	K. Manickavachagom Pillay-Vector Algebra and Publishers, 1991.
		culus-Pearson Education, Boston, 4 th Edition, 2012. alculus for College Students-Xilbius Corporation,
	2014.	
		romba-Vector Calculus-W.H. Freeman, New York,
	5 th Edition, 1988.	
		ini-Vector Analysis-Margham Publications,
	Chennai, Reprint 2009.	
Website and e-	1. https://nptel.ac.in/	
learning source	2. <u>www.coursera.org</u>	
	3. https://swayam.gov.irg	1
	1	

On completion of the course, the students should be able to

CO1: Find the derivative of vector, sum of vectors, product of scalar and vector point function and determine the derivatives of scalar and vector products.

CO2: Apply the operator 'del' and explain solenoidal and irrotational vectors.

CO3: Solve simple line integrals.

CO4: Solve surface integrals and volume integrals.

CO5: Verify the theorems of Gauss's, Stoke's and Green's (Two Dimensions).

СО	PO								
CO	PO1	PO2	PO3	PO4	PO5	PO 6			
CO1	Н	Н	Н	L	L	M			
CO2	Н	Н	Н	L	L	M			
CO3	Н	Н	Н	L	L	M			
CO4	Н	Н	Н	L	L	M			
CO5	Н	Н	Н	L	L	M			

СО	PSO									
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO 6				
CO1	Н	M	Н	Н	M	L				
CO ₂	Н	M	Н	Н	M	L				
CO ₃	Н	M	Н	Н	M	L				
CO4	Н	M	Н	Н	M	L				
CO5	Н	M	Н	Н	M	L				

Title of the		DIFFEREN	TIA	L EQUAT	IONS AN	D APPLIC	CATIONS				
Course											
Paper No.	Core VI										
Category	Core	Year	II	Credits	5	Course UCMAF24					
		Semester	III			Code					
Instructional hours	Lecture	Tutorial		Lab Pra	ctice		Total				
per week	4	1		-			5				
Prerequisites	Higher Se	condary Ma	them	atics							
Objectives of the	• Kno	owledge ab	out	the metho	ods of so	olving Ord	dinary and Partial				
course	Dif	ferential Equ	ation	ıs.							
	• The	understand	ing of	how Diffe	rential Equ	uations can	be used as a				
	pov	verful tool in	solv	ing probler	ns in scien	ce.					
	,	5 hours) (Ki	_	•	•						
	First Order Ordinary Differential Equations										
		.1 Introduction and Definitions of Differential Equations									
	.2 First order higher degree										
		1.3 Solvable for p, x and y									
	1.4 Solving Clairaut's form										
	1.5 Exact differential equations										
	1.6 Total d	1.6 Total differential equations $Pdx + Qdy + Rdz = 0$									
		5 hours) (K									
		der Ordina									
		ction of Sec									
		n of Second									
		P.I for eax co					onstant)				
		g P.I for e ^{ax} x									
		order differ			with varia	ble coeffici	ents				
	2.6 Method	l of variatior	of p	arameters							
	UNIT III (15 hours) (1	K1. K	2. K3 & K	(4)						
		ferential Ed			,						
	3.1 Basic D		•								
	3.2 Format	ion of P.D.E	by e	liminating	arbitrary c	onstants					
		ion of P.D.E	-	_	•						
		ions of Com	•	_	•						
		n of equation			_		$)=f_{2}(y,p)$				
							p,q) = 0; f(z,p,q)				
	=0;	•		•	- · · • · · · · · · · · · · · · · · · ·						

	UNIT IV (15 hours) (K1, K2, K3 & K4)
	Partial Differential Equations (Continued)
	4.1 Solution of PDE in Clairaut's form
	4.2 Solution of PDE in Clairaut's form (Continued)
	4.3 Solution of PDE by Lagrange's method
	4.4 Solution of PDE by Lagrange's method (Continued)
	4.3 Charpit's method
	4.6 Charpit's method (Continued)
	UNIT V (15 hours) (K1, K2, K3 & K4)
	Simultaneous Differential Equations
	5.1 Simultaneous linear differential equations with constant co-efficients - Introduction
	5.2 Simultaneous linear differential equations with constant co-efficients - Method of Elimination
	5.3 Simultaneous linear differential equations with constant co-efficients-
	Method of Differentiation
	5.4 Solution of dx/P=dy/Q=dz/R -Introduction
	5.5 Solving dx/P=dy/Q=dz/R
	5.6 Solving dx/P=dy/Q=dz/R (Continued)
Extended Profession	al Component (isa part of Questions related to the above topics, from
	only, not to beincluded in various competitive examinations UPSC/JAM
theexternal examinat	•
question paper)	(To be discussed during the Tutorial hours)
Recommended	1. S. Naryanan and T.K. Manickavachagom Pillai – Calculus Vol. III – S.
Text	Viswanathan Printers and Publishers Pvt. Ltd., Chennai, 2012.
	 M. K. Venkataraman and Manorama Sridhar - Differential Equations and Laplace Transform - First Edition - 2004
ReferenceBooks	1.Sundrapandian, V. Ordinary and Partial Differential Equations, Tata
	McGraw Hill Education Pvt.Ltd. New Delhi, 2013
	2. P.R.Vittal - Differential equations, Fourier and Laplace Transforms and
	Probability - Margham Publication – Third Edition, 2002.
	3. Shepley L. Ross, Differential Equations, 3rd Ed., John Wiley and Sons,
	1984.
	4. I. Sneddon, Elements of Partial Differential Equations, McGraw-Hill,
	International Edition, 1967.
	5.G.F. Simmons, Differential equations with applications and historical
	notes, 2 nd Ed, Tata Mcgraw Hill Publications, 1991.
Website and e-	1. https://nptel.ac.in
	-
i learning source	2. www.coursera.org
learning source	2. www.coursera.org3. https://swayam.gov.in/

On completion of the course, the students should be able to

CO1: Determine solutions of homogeneous equations, non-homogeneous equations of degree

CO2: Find the solutions of equations of first order but not of higher degree and to Determine particular integrals of algebraic, exponential, trigonometric functions and their products

CO3: Form a PDE by eliminating arbitrary constants and arbitrary functions

CO4: Find complete, singular and general integrals, to solve Lagrange's equations

CO5: Find solutions of simultaneous linear differential equations, linear equations of second order and to find solutions using the method of variations of parameters

	PO						
CO	PO1	PO2	PO3	PO4	PO5	PO6	
CO1	Н	Н	Н	M	M	Н	
CO2	Н	Н	Н	M	M	Н	
CO3	Н	Н	Н	M	M	Н	
CO4	Н	Н	Н	M	M	Н	
CO5	Н	Н	Н	M	M	Н	

	PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	Н	Н	Н	L		
CO2	Н	M	Н	M	Н	L		
CO3	Н	Н	M	M	Н	L		
CO4	Н	M	M	M	Н	L		
CO5	Н	M	Н	Н	Н	L		

Paper No. Discipline Specific Elective I	SA24									
Category	SA24									
Instructional hours per week Prerequisites Objectives of the course To study Statistics from a purely mathematical standpoint Probability Theory as well as other branches of Mathematics. To understand the concepts of random variables and prefunctions.										
per week31-4PrerequisitesHigher Secondary MathematicsObjectives of the course• To study Statistics from a purely mathematical standpoint Probability Theory as well as other branches of Mathematics.• To understand the concepts of random variables and profunctions.										
per week31-4PrerequisitesHigher Secondary MathematicsObjectives of the course• To study Statistics from a purely mathematical standpoint Probability Theory as well as other branches of Mathematics.• To understand the concepts of random variables and profunctions.										
Prerequisites Objectives of the course To study Statistics from a purely mathematical standpoing Probability Theory as well as other branches of Mathematics. To understand the concepts of random variables and prefunctions.										
Objectives of the course To study Statistics from a purely mathematical standpoint Probability Theory as well as other branches of Mathematics. To understand the concepts of random variables and profunctions.										
 course Probability Theory as well as other branches of Mathematics. To understand the concepts of random variables and pr functions. 										
To understand the concepts of random variables and pr functions.	int using									
functions.	1 1 111									
	robability									
	1									
To demonstrate knowledge of probability and the standard state in the standard standard state in the standard state in the standard	statistical									
	distributions.									
Course Outline UNIT I (12 hours) (K1, K2, K3 & K4)	• To recognize the fundamental meanings of correlation and regression.									
Theory of Probability										
1.1 Definition of probability and basics										
1.2 Independence of events										
	1.3 Addition theorem 1.4 Conditional probability									
1.5 Multiplication law of probability										
1.6 Bayes' theorem										
UNIT II (12 hours) (K1, K2, K3 & K4)										
Random Variables										
2.1 Discrete and continuous random variables - Probability distrib	bution and									
distribution function	Julion und									
2.2 Definition of two-dimensional random variable										
2.3 Probability distribution										
2.4 Probability density function										
2.5 Marginal distribution										
2.6 Conditional distribution										
UNIT III (12 hours) (K1, K2, K3 & K4)										
Characteristics of Random Variables										
3.1 Mathematical expectation and properties										
3.2 Variance, Standard deviation										
3.3 Mean deviation										
3.4 Tchebychev's inequality										
3.5 Raw and central moments and relation between them										
3.6 Moment generating function (mgf) and properties of mgf										

	$ \mathbf{I} \mathbf{N} \mathbf{I}' \mathbf{I}'$	2 I/2 P- I/4)					
	UNIT IV (12 hours) (K1, K Standard Distributions	2, K3 & K4)					
		4.1 Binomial distribution					
	4.2 Binomial distribution (Continued)						
	4.3 Poisson distribution						
	4.4 Poisson distribution (Cont	inued)					
	4.5 Normal distribution	indea)					
	4.6 Normal distribution (Con	tinued)					
	` `	,					
	UNIT V (12 hours) (K1, K2 Correlation and Regression						
		elation and Karl Pearson's coefficient of correlation					
	5.2 Properties of correlation of						
	5.3 Spearman's rank correlation						
		on and rank correlation coefficient for raw data					
	1	on and rank correlation coefficient for grouped data					
	<u> </u>	tion, derivation, angle between regression lines,					
	regression coefficient propert	ties					
Extended Professiona	al Component (isa part of	Questions related to the above topics, from					
internal component o	only, not to beincluded in	various competitive examinations UPSC/JAM					
theexternal examinat	ion	/TNPSC and others to be solved					
question paper)		(To be discussed during the Tutorial hours)					
Recommended	1	ods - Sultan Chand & Sons, New Delhi, 2 nd Edition,					
Text	2020.						
ReferenceBooks	1 Hoog R V and Crai	α A T - Introduction to Mathematical Statistics –					
ReferenceDooms							
		ran W.G Statistical Methods - Oxford and IBH -					
	6 th Edition 1967.						
	4. Hoel P.G Introduction to Mathematical Statistics – Wiley, 4 th Edition						
	1971.						
	5. Wilks S.S Elementary Statistical Analysis - Oxford and IBH. Reprin						
*** * * * *							
learning source	2. www.coursera.org						
	5. https://swayam.gov.fr	<u>u</u>					
	 Hogg R.V. and Crai Macmillan, 4th Edition Mood, A.M., Graybil Statistics - McGraw H Snedecor G.W., Coch 6th Edition 1967. Hoel P.G Introduct 1971. Wilks S.S Element 1971. https://nptel.ac.in/ 	ods - Sultan Chand & Sons, New Delhi, 2 nd Edition, g, A.T Introduction to Mathematical Statistics — 1998. Il, F.A. and Boes, D.G Introduction to Theory of Ill Publication,3 rd Edition 1974. ran W.G Statistical Methods - Oxford and IBH - tion to Mathematical Statistics — Wiley, 4 th Edition rary Statistical Analysis - Oxford and IBH. Reprint					

On completion of the course, the students should be able to

CO1: Comprehend the fundamentals of probability.

CO2: Know about random variables of one and two dimensions.

CO3: Learn about the measures of central tendency and concepts of moments.

CO4: Acquire knowledge about discrete and continuous distributions.

CO5: Apply correlation and regression for the investigation of relationship between the variables.

СО			P	O		
	PO1	PO2	PO3	PO4	PO5	PO6
CO1	Н	Н	Н	M	L	Н
CO2	Н	Н	Н	M	M	Н
CO ₃	Н	Н	Н	M	M	Н
CO4	Н	Н	Н	M	M	Н
CO5	Н	Н	Н	M	M	Н

		PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	M	Н	Н	Н	L			
CO2	Н	Н	Н	Н	Н	M			
CO3	Н	M	Н	Н	Н	L			
CO4	Н	Н	Н	Н	Н	M			
CO5	Н	Н	M	Н	Н	L			

Title of the	SKILL	ENHANCI	EME	ENT COU	RSE: ST	ATISTICS	S WITH R	
Course								
Paper No.	SEC 4				Т	T		
Category	Skill	Year	II	Credits	2	Course	USMA424	
	Enhancement	Semester	IV			Code		
	Course							
Instructional hours	Lecture	Tutorial		Lab Pra	ctice		Total	
per week	-	-		2			2	
Prerequisites	Higher Second				0.1			
Objectives of the	The course aim							
course					-	-	gramming, thereby	
		-	gıcal	thinking	of the	e students	with regard to	
	program	Ū		1 .1			. CD	
					-	ing concep	ts of R to statistical	
Course O-41!		tions and p				ا. ا. سه بولسهر	to fuomo	
Course Outline	1. To demo		imet	ic, vector,	array, ma	urix and da	ua irame	
			oro	nha(coattor	nlot line	aranh har	plot, pie chart)	
			_			-		
	3. To find correlation coefficient and linear regression lines4. To demonstrate fitting probability distributions (binomial, Poisson,							
	Normal)							
	5. To perform z-test for 2 means, z-test for 2 proportions and Chi-Square							
	Test for Independence of Attributes							
	6. To perfo	-						
Extended Professiona						the above	topics, from	
internal component of	only, not to bein	cluded in	V	arious con	npetitive	examinatio	onsUPSC/JAM	
theexternal examinat	ion		1	/TNPSC and others to be solved				
question paper)			((To be discussed during the Tutorial hours)				
Recommended	1. The R Boo	k-Michael J	. Cr	awley-Imp	erial Col	lege Londo	on at Silwood Park,	
Text	UK, Second					-		
	2. An Introdu	ction to R-	Note	es on R: A	A Program	nming Env	vironment for Data	
	Analysis and Graphics W. N. Venables, D. M. Smith and the R Core Team-							
	(Version 3.	6.3), 2020.						
ReferenceBooks	1. The Art of R Programming A Tour of Statistical Software Design-Norman							
	Matloff, No Starch Press, San Francisco, 2011.							
	2. Introduction to Statistics with R - Anne Segonds-Pichon, Babraham							
	Bioinforma		o do	Vrigg and	Ioria Mar	ond Take	ion John Wiley 0-	
	Sons, Inc.,		e ue	viies and.	Jours Mey	ys, Z Euit	ion, John Wiley &	
	Soils, Ilic.,	2013.						

Website and e-	1. https://nptel.ac.in/
learning source	2. <u>www.coursera.org</u>
	3. https://spoken-tutorial.org

On completion of the course, the students should be able to

CO1: Familiarize the basics of programming in R such as vectors, arrays, data frames, etc.

CO2: Represent data and Interpret results through graphical tools in R.

CO3: Compute correlation coefficient and linear regression using R

CO4: Fit standard distributions using R.

CO5: Understand and apply the programming concepts of R to perform tests of significance and analysis of variance.

	PO						
CO	PO1	PO2	PO3	PO4	PO5	PO6	
CO ₁	Н	Н	Н	M	M	Н	
CO ₂	Н	Н	Н	M	M	Н	
CO3	Н	Н	Н	M	M	Н	
CO4	Н	Н	Н	M	M	Н	
CO5	Н	Н	Н	M	M	Н	

	PSO						
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6	
CO1	Н	Н	Н	Н	L	Н	
CO2	Н	M	Н	M	L	Н	
CO3	Н	M	Н	M	L	Н	
CO4	Н	Н	Н	Н	L	Н	
CO5	Н	M	Н	Н	L	Н	

Title of the	SKILL ENHANCEMENT COURSE: QUICK MATH - I							
Course								
Paper No.	SEC 5							
Category	Skill	Year	II	Credits	1	Course	USMA524	
	Enhancement	Semeste	r III			Code		
	Course							
Instructional	Lecture	Tutoria	l L	ab Practic	e	1	Cotal	
hours per week	1	-		-			1	
Prerequisites	Higher Second	dary Mather	natics					
Objectives of the	The course air	ns at giving	an overa	ll view of t	he			
course	 To revit 	alize the bas	sic knowl	ledge of ma	ther	natics and	problem-	
	solving							
		nce logical,	•			_		
		the students	s to prepa	re for vario	us c	ompetitive	2	
0 0 1		examinations.						
Course Outline		1. Mental Maths - Addition, Subtraction						
	 Mental Maths – Multiplication Mental Maths – Division 							
	4. Divisibility, Fractions, Squares, Cubes5. Square Roots and Cube Roots							
	-	-						
Entended Duefessie	1	(in a mant	Overtica					
Extended Professio	-		_	ns related to			UPSC/JAM	
of internal compone				and others			OF SC/JAIVI	
included in theexter	rnai examinatio	n		discussed di			rial hours)	
question paper)	1 C	· M 4 - 1 M				_		
Recommended	1. Secrets of			_			and Michael	
Text			ing maui	THURS, AIL	mui	Denjamin	and whenaer	
	,	Shermer, 2006. 2. Barlow's Tables of Squares, Cubes, Square Roots, Cube Roots, and						
		Reciprocals, L.J. Comrie, Kessinger Publishing, 2010.						
	reciprocais, D.s. Comile, ressinger rationshing, 2010.							
ReferenceBooks	Magical Book on Quicker Maths, M. Tyra, Publisher: BSC, 1st							
	Edition, 2018							
Website and	4. https://p	4. https://nptel.ac.in						
e-learning		oursera.org						
source		wayam.gov.	<u>.in/</u>					
Course Outcomes:	<u> </u>							

On completion of the course, the students should be able to

CO1: Develop the skills to do quick addition and subtraction

CO2: Perform Multiplication through quick techniques

CO3: Perform division through quick techniques

CO4: Understand the quick methods for Divisibility, Fractions, Squares, Cubes

CO5: Perform Quick factorization

	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO1	Н	Н	Н	M	M	Н		
CO2	Н	Н	Н	M	M	Н		
CO3	Н	Н	Н	M	M	Н		
CO4	Н	Н	Н	M	M	Н		
CO5	Н	Н	Н	M	M	Н		

		PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	Н	Н	Н	L			
CO2	Н	M	Н	M	Н	L			
CO3	Н	M	Н	M	Н	L			
CO4	Н	Н	Н	Н	L	L			
CO5	Н	M	Н	Н	L	L			

Title of the	INDUSTRIAL STATISTICS						
Course							
Paper No.	Core VII		ı			T .	1
Category	Core	Year	II	Credits	5	Course	UCMAG24
		Semester	IV			Code	
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total
per week	4	1		-			5
Prerequisites	Higher Se	condary Ma	them	atics			
Objectives of the		e aims at giv	_				
course		•	und f	oundation i	n basic to _l	pics of mod	ern statistical
		rence.					
		study the co					lihood and
		ociated funct			_		
		construct co				-	
		demonstrate			f how to d	lesign expe	riments and
		veys for effic					
Course Outline		5 hours) (K		2, K3 & K4	1)		
	Sampling Distributions						
		1.1 Parameter and statistic - Sampling distribution - Standard error					
	1.2 Sampling distribution of statistics						
	1.3 Chi-square distribution -p.d.f derivation, moment generating function						
	1.4 Chi-square distribution (continued) mean, variance, additive property 1.5 Student's t distribution – moments - limiting form of t distribution						
		bution – mea			mmung i	orni or t urs	Suitoution
	1.0 1 disur		an, va	irance			
	Unit II (1	5 hours) (K	1, K2	2, K3 & K4)		
		ic Estimatio					
			Conc	cept of unl	biasedness	s, consister	ncy, efficiency and
	sufficie	•					
		Rao Inequa	-	Rao-Black	well Theo	orem	
		ls of estimati					
		of moment		C' 1 '	. 1.0	1: 00	
		l Estimation				mean - diff	ference in means
		ortion - diffe				4 and Chi	
	z.o miervai	Esumation	TOT V	arrance usii	ig norman	, t and Cm-	square distributions
	IINIT-III.	(15 hours)	(K1	K2 K2 &-	K 4)		
		ignificance	(171,	132, 133 W	13 7)		
		f significance	e – d	efinitions			
		f significanc			les for me	an	
		f significanc					tion
		•					ean and variance
		_		_			can and variance
		significance		-			9
	o.o rest of	significance	ior s	man sampl	es - r test	101 varianc	е

	UNIT-IV: (15 hours) (K1, 1	(2 K3 & K4)					
	Chi Square Tests	110 (111)					
	4.1 Chi-square test of goodne	ess of fit					
		4.2 Chi-square test of goodness of fit (Continued)					
	4.3 Attributes						
	4.4 Coefficient of association	1					
	4.5 Contingency tables	•					
	4.6 Chi-square test for indep	endence of attributes					
	UNIT-V: (15 hours) (K1, I	UNIT-V: (15 hours) (K1, K2, K3 & K4)					
	Analysis of Variance						
	5.1Analysis of variance-one-	way and two-way classification					
	5.2 Basic principles of design	•					
		tion - Randomized Block Design					
	_	5.4 Randomized block design					
	5.5 Completely Randomized block design						
	5.6 Latin Square Design						
Extended Profession	nal Component (isa part of	Questions related to the above topics, from					
	only, not to beincluded in	various competitive examinations UPSC/JAM					
theexternal examina		/TNPSC and others to be solved					
question paper)		(To be discussed during the Tutorial hours)					
Decommended	C. D. Cymto. Statistical Math	and Sylton Chand & Song Navy Dollai 2nd Edition					
Recommended	2020.	ods - Sultan Chand & Sons, New Delhi, 2 nd Edition,					
Text	2020.						
ReferenceBooks		A.T Introduction to Mathematical Statistics,					
	Macmillan, 4 th Edition 19						
		2. Mood, A.M., Graybill, F.A. and Boes, D.G Introduction to Theory of					
	Statistics - McGraw Hill Publication, 3 rd Edition 1974.						
	3. Snedecor G.W., Cochran W.G Statistical Methods - Oxford and IBH -6 th						
	Edition 1967. 4. Heal P.G. Introduction to Mathematical Statistics. Wiley, 4th Edition 1971.						
	4. Hoel P.G Introduction to Mathematical Statistics – Wiley, 4 th Edition 1971.						
Website and e-	 Wilks S.S Elementary Statistical Analysis - Oxford and IBH Reprint 1971. https://nptel.ac.in/ 						
learning source	2. www.coursera.org	- 					
Tourning bource	3. https://spoken-tutorial.o	rg					
	maps.//spoken tatoriano						
~ .	•						

On completion of the course, the students should be able to

CO1: Know the basic concepts of some advanced distributions.

CO2: Apply estimation theory to estimate the values of parameters.

CO3: Use appropriate sampling distributions for testing of hypothesis.

CO4: Apply chi-square test to find out the significant difference between expected and observed frequencies in one or more categories.

CO5: Use F-test to compare statistical model that has been fitted to a data that best fits the population from which the data was sampled.

СО			P	0		
	PO1	PO2	PO3	PO4	PO5	PO6
CO1	Н	Н	Н	L	M	Н
CO2	Н	Н	Н	L	M	Н
CO3	Н	Н	Н	M	M	Н
CO4	Н	Н	Н	M	M	Н
CO5	Н	Н	Н	M	M	Н

СО			PS	50		
	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6
CO1	Н	M	Н	Н	Н	L
CO2	Н	L	Н	Н	Н	M
CO3	Н	M	Н	Н	Н	L
CO4	Н	L	Н	Н	Н	M
CO5	Н	M	Н	Н	Н	Н

Title of the		ELEME	NTS	OF MATE	IEMATIO	CAL ANAI	LYSIS	
Course								
Paper No.	Core VIII					1		
Category	Core	Year	II	Credits	5	Course	UCMAH24	
		Semester	IV			Code		
Instructional hours	Lecture	Tutorial		Lab Prac	ctice	Total		
per week	4	1		-		5		
Prerequisites	Higher Se	condary Ma	them	atics				
Objectives of the	The cours	e aims at giv	ving a	an overall v	iew of the			
course	• To (create an inte	erest	and to deep	en the kno	owledge of	students in	
	con	cepts of real	anal	ysis.				
	• To :	familiarize t	he stu	idents to co	ncepts of	sequences, l	limits of sequences,	
	limi	its of function	ons ar	nd continuit	у.			
	• To i	introduce the	e con	cepts of cor	vergent, o	divergent an	nd bounded sets.	
Course Outline	,	15 hours) (K		,	4)			
		and Real N	umb	ers				
	1.1 Functio							
		lued functio						
	_	lence – Cour	ntabil	ity				
	1.4 Real Nu							
		pper bounds						
	1.6 Greates	t lower bour	nas					
	UNIT II ((15 hours) (1	K1, I	K2, K3 & K	(4)			
	Sequences	of Real nur	nber	S	•			
	2.1 Definiti	ion of seque	nce a	nd subseque	ence			
	2.2 Limit o	f sequence						
	2.3 Conver	gent sequen	ce					
	2.4 Diverge	ent sequence	;					
	2.5 Bounde	ed sequence						
	2.6 Monoto	one sequence	e					
	UNIT-III:	(15 hours)	(K1.	K2, K3 &	K4)			
		(continued)				bers		
	_	ons on conv						
	-	ons on diver	_	-				
		gence and d			es			
		rgence and d				nued)		
		with non-neg			`	,		
	3.6 Alterna	_						

	UNIT-IV: (15 hours) (K1, I	K2 K3 & KA)					
	Limits and Continuity of M						
	4.1 Conditional convergence	•					
	4.2 Limits and continuity of						
	4.3 Limits and continuity of metric space (Continued)						
	4.4 Limit of a function on the	•					
	4.4 Metric spaces						
	4.5 Limits in metric spaces						
	no Limits in metric spaces						
	UNIT-V: (15 hours) (K1, F						
	Continuous Functions on M	_					
	5.1 Functions continuous at a	a point on the real line					
	5.2 Theorems on continuous	function					
	5.3 Reformulation						
	5.4 Functions continuous on						
	5.5 Theorems on continuity of						
	5.6 Theorems on continuity of	of metric space (Continued)					
Extended Profession	al Component (isa part of	Questions related to the above topics, from					
	only, not to beincluded in	various competitive examinations UPSC/JAM					
theexternal examinat	•	/TNPSC and others to be solved					
question paper)		(To be discussed during the Tutorial hours)					
	Т						
Recommended	_	Methods of Real Analysis – Oxford and IBH					
Text	Publishing Co. Pvt. Ltd.	, New Delhi, Indian Edition, 2020.					
ReferenceBooks	1 Tom M Apostol	- Mathematics Analysis , 2 nd Edition – Narosa					
Referencebooks	Publishing House – 1						
	1 donsling House – 1	77 1.					
	2 Dr. K. Chandrasekar	Rao, Dr. K.S. Narayanan – Real Analysis Valume					
	_	vanathan Publishers, 2008.					
	ii, 2 Edition – Visw	anathan I donshers, 2006.					
	3. D. Somasundaram and B. Choudhray – A First Course in Mathematic						
	Analysis, 1 st Edition – Narosa Publishing House, 1999.						
	Analysis, 1 Edition	- Narosa i donsining frouse, 1999.					
Website and e-	1. https://nptel.ac.in						
learning source	2. www.coursera.org						
icai iiiig soui ce	3. https://swayam.gov.ii	n/					
	5. https://swayam.gov.n	<u>ur</u>					
1	. 1						

On completion of the course, the students should be able to

CO1: Know the basic properties of the real line and real number system.

CO2: Understand the fundamentals of sequences and to calculate their limits.

CO3: Recognize the arithmetic properties of convergence and divergence of sequence and series.

CO4: Learn the properties of metric space and its type.

CO5: Know about continuous function and its reformulation.

со	PO								
	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	L	M	Н			
CO2	Н	Н	Н	L	M	Н			
CO3	Н	Н	Н	M	L	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	Н	Н	M	M	Н			

со			PS	SO					
	PSO1 PSO2 PSO3 PSO4 PSO5 PSO								
CO1	Н	Н	M	L	Н	L			
CO2	Н	Н	M	M	Н	L			
CO3	Н	M	Н	Н	Н	L			
CO4	Н	M	Н	Н	Н	L			
CO5	Н	Н	Н	M	Н	L			

Title of the	ALI	IED IV: N	UME	RICAL M	ETHODS	S AND TRA	ANSFORMS
Course							
Paper No.			1	Ī		1	T
Category	Allied	Year	II	Credits	4	Course	UANMA24
		Semester	IV			Code	
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total
per week	3	1		-			4
Prerequisites	Higher Se	condary Ma	them	atics			
Objectives of the	The cours	se aims at gi	ving	an overall	view of th	e	
course	• To a	apply numer	ical r	nethods and	d obtain th	e approxim	ate solutions to
	mat	hematical pı	oblei	ms.			
	• To i	introduce va	rious	concepts of	f Transfor	ms.	
- C - O - III		10.1 \ (T)	74 17	A 172 0 17	4)		
Course Outline	UNIT I (I	2 hours) (K	.1, K	2, K3 & K4	4)		
	 Interpolati	ion with Eq	ual I	ntervals			
		d Difference					
		y-Newton fo			ion (for ec	ual interva	ls)
		ard Differen		-	•	L	,
	1.4 Gregory	y-Newton B	ackw	ard interpol	lation (for	equal inter	vals)
		tant terms w		-		-	
	1.6 Central	Difference	Interp	oolation-Sti	rling's Int	errpolation	
	INIT II	(12 hours) (1	K1 1	72 K3 & K	<u></u>		
		ion with Un			LT)		
	_	differences	_	i inici vais			
		ies of divide		ferences			
		between divi			nd forward	differences	
		s divided diff				differences	
		e's interpolat		•			
	2.6 Differen	t forms of La	grang	e's interpola	tion		
	UNIT-III:	(12 hours)	(K1.	K2, K3 &	K4)		
		Differentia		*	•		
		s forward		_		get the deriv	vative
		's Backwar		_		-	
		ive using St			-		
		ral quadratui	_	-		ordinates	
	3.5 Trapezo	-	2 101				
		n's one-thir	d rule	and Simns	on's three	-eighth rule).
		•••••		P		6 Turk	

	UNIT-IV: (12 hours) (K1, 1	K2, K3 & K4)						
	Z – Transform							
	4.1 Z – transform-introduction							
	4.2 Properties of Z-transform							
	4.3 Z – transform of some ba	asic functions						
	4.4 Inverse Z transform							
	4.5 Convolution theorem (w	•						
		nce equations with constant coefficients using Z-						
	transform							
	UNIT-V: (12 hours) (K1, K2, K3 & K4)							
	Laplace Transform							
	5.1 Laplace Transform -Intro							
	5.2 Transforms of elementar							
	5.3 Properties of Laplace Tra							
	5.4 Laplace Transforms of d							
	5.5 Laplace Transforms of ir	-						
	5.6 Periodic function of Lap	ace transforms.						
	al Component (isa part of	Questions related to the above topics, from						
-	only, not to beincluded in	various competitive examinationsUPSC/JAM						
theexternal examinat	tion	/TNPSC and others to be solved						
question paper)		(To be discussed during the Tutorial hours)						
Recommended	1 T Veerarajan – Tran	sforms and Partial Differential Equations- Tata						
Text	•	ion Pvt Limited, New Delhi – Third Edition, 2012.						
ICAL		and Manorama Sridhar - Differential Equations and						
		m - First Edition – 2004.						
		nilagavathy and K. Gunavathy- Numerical						
	_	blication-Revised Edition 2014.						
	internous stemana pa	Shoulder to thou Edition 201						
ReferenceBooks	1. P. R. Vittal - Differen	ntial equations, Fourier and Laplace Transforms and						
		m Publication – Third Edition, 2002.						
		Authematics – Margham Publications - Third						
	Edition, 2002.							
	ŕ	K. Thilagavathi - Allied Mathematics Volume I and						
		and Co, New Delhi, 2004.						
	4. Dr. A. Singaravelu – Numerical Methods – Meenakshi Agency - 120							
	Pushpa Nagar Medavakkam, Chennai, Revised Edition: Dec 2007.							
	1 0	cal Analysis, Laxmi Publishing Ltd., New Delhi						
	Revised Edition, 200	•						
Website and e-	1. https://nptel.ac.in							
learning source	2. <u>www.coursera.org</u>							
	3. https://swayam.gov.ir	<u>n/</u>						
1	1							

On completion of the course, the students should be able to

CO1: Understand Numerical Interpolation with Equal Intervals

CO2: Understand Numerical Interpolation with Unequal Intervals

CO3: Understand Numerical Differentiation and Integration

CO4: Understand the basic concepts of Z -Transforms.

CO5: Understand the basic concepts of Laplace Transforms.

CO	PO								
CO	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	L	L	M			
CO2	Н	Н	Н	L	L	M			
CO3	Н	Н	Н	L	L	M			
CO4	Н	Н	Н	L	L	M			
CO5	Н	Н	Н	L	L	M			

CO	PSO									
	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6				
CO1	Н	Н	M	M	Н	L				
CO2	Н	Н	M	Н	Н	L				
CO3	Н	Н	M	Н	Н	L				
CO4	Н	Н	M	Н	Н	L				
CO5	Н	Н	M	M	Н	L				

Title of the	SKILL ENHANCEMENT COURSE: NUMERICAL METHODS								
Course				PRAC	CTICAL				
Paper No.	SEC 6								
Category	Skill	Year	II	Credits	2	Course	USMA624		
	Enhanc	Semester	IV			Code			
	ement								
	Course								
Instructional	Lecture	Tutorial		Lab Prac	ctice		Total		
hours per week	-	-		2			-		
Prerequisites	Higher S	econdary N	Iathe	matics					
Objectives of the	The aim o	f this course	is to	practice ma	athematics	in software	e.		
course									
Course Outline	1. Compu	ting expressi	ons						
	2. Operati	2. Operations on Vectors							
	3. Operations on Sets								
	4. Permutation and Combinations								
	5. Polynomial Interpolation.								
		Manipulation							
Extended Profession	_	_	art				ove topics, from		
of internal compone	•				-		ationsUPSC/JAM		
included in the exter	rnal examı	nation		TNPSC	and othe	rs to be so	Ived		
question paper)				(To be d	liscussed	during the	Tutorial hours)		
Recommended	1. Introdu	ction to Scila	ab, M	ichael Baud	din From S	Scilab Cons	sortin, 2010		
Text	Chapters			_	_				
	2. Plotting	Using Scila	.b – <i>A</i>	anopen Sou	rce Docun	nent www.c	openeering.com		
	1	-			tephen L.	Campbell,	Jean-Philippe		
		and Ramine			lah IJaan'a	Daint of Vi	and the Eilea		
	2. An Intro- Rietsch.	duction to So	ciiao	irom a Mat	iab User's	Point of Vi	lew by Elke		
		d Programm	ing i	n Scilab, Cl	netana Jair	ı. Narosa Pı	ublishing House,		
	New Delhi.	-			1000110000001	2, 1 (41 0 5 4 1)	g 110 wse,		
Website and e-	http://ndl.i	itkgp.ac.in							
learning source									
	http://ocw	.mit.edu							
	http://matl	nforum.org							

On completion of the course, the students should be able to

CO1: Solve Mathematical Problems using Mathematical software's.

CO2: Understand the knowledge of application of mathematics.

CO3: Understand the concept of set theory.

CO4: Compute permutation and combinations.

CO5: Analyze polynomial interpolations.

		PO									
CO	PO1	PO2	PO3	PO4	PO5	PO6					
CO1	Н	Н	Н	M	M	Н					
CO2	Н	Н	Н	M	M	Н					
CO3	Н	Н	Н	M	M	Н					
CO4	Н	Н	Н	M	M	Н					
CO5	Н	Н	Н	M	M	Н					

	PSO									
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6				
CO1	Н	Н	Н	Н	L	Н				
CO2	Н	M	Н	M	L	Н				
CO3	Н	M	Н	M	L	Н				
CO4	Н	Н	Н	Н	L	Н				
CO5	Н	M	Н	Н	L	Н				

Title of the	SKILL	ENHANCE	MENT (COURSE:	QU.	ICK MAT	TH - II	
Course								
Paper No.	SEC 7							
Category	Skill	Year	II Credits 1 Course U			USMA724		
	Enhancement	Semeste	r III			Code		
	Course							
Instructional	Lecture	Tutoria	l L	ab Practic	e	1	Total	
hours per week	1	-		-			1	
Prerequisites	Higher Second	dary Mather	natics					
Objectives of the	The course air	ns at giving	an overa	ll view of	the			
course		alize the bas	sic knowl	edge of ma	ther	natics and	problem-	
	solving			1 1	1		•	
		nce logical,	•			•		
	To help the students to prepare for various competitive examinations.							
Course Outline	7. Percentage tricks							
	C							
	8. Simplification tricks							
	9. Average tricks							
	10. Number So	eries						
	11. Profit and	Loss						
	12. Quadratic	Equations						
Extended Professio	nal Component	(isa part	Question	ns related to	o the	e above to	pics, from	
of internal compone	ent only, not to	be		-			SUPSC/JAM	
included in theexte	rnal examinatio	n		and others			. 11	
question paper)			(10 be 0	liscussed d	urın	g the Tuto	riai nours)	
Recommended	Secrets behind	l faster Calc	ulations,	Praveen Ty	agi,	GK Publi	shers, 2018	
Text								
ReferenceBooks	 Secrets of Mental Math: The Mathemagician's Guide to Lighting Calculation and Amazing math Tricks, Arthur Benjamin and Michael Shermer, 2006. Magical Book on Quicker Maths, M. Tyra, Publisher: BSC, 1st Edition, 2018 							
Website and e-learning source	8. <u>www.cc</u>	nptel.ac.in oursera.org wayam.gov.	in/					

On completion of the course, the students should be able to

CO1: Apply percentage concepts effectively

CO2: Apply simplification concepts effectively

CO3: Apply average concepts effectively

CO4: Understand Number series patterns and Profit and Loss concepts

CO5: Analyze Quadratic Equations

	PSO								
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO ₁	Н	Н	Н	Н	Н	L			
CO ₂	Н	M	Н	M	Н	L			
CO3	Н	M	Н	M	Н	L			
CO4	Н	Н	Н	Н	L	L			
CO5	Н	M	Н	Н	L	L			

	PO								
CO	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	M	M	Н			
CO2	Н	Н	Н	M	M	Н			
CO3	Н	Н	Н	M	M	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	Н	Н	M	M	Н			

TP*41 C.41	ADCTDACT ALCEDDA							
Title of the	ABSTRACT ALGEBRA							
Course	~ ***							
Paper No.	Core IX						I	
Category	Core	Year	III	Credits	4	Course	UCMAI24	
		Semester	V			Code		
Instructional hours	Lecture	Tutorial		Lab Pra	ctice	Total		
per week	4	1		-		5		
Prerequisites	Higher Se	condary Ma	thema	atics				
Objectives of the	• To	introduce the	e conc	epts of abs	stract algeb	ora.		
Course	• To	enable under	rstand	ing of fund	lamental a	lgebraic str	uctures.	
G 0 41	TINITED T (4)	- 1) (T7:	1 170	173 0 174	`			
Course Outline	UNIT I (I:	5 hours) (Ki	I, K2,	, K3 & K4)			
	Group The	eory						
	1 1 D - C - '4'							
		ion of a Group	-					
	_	2 Examples of Groups						
		3 Some Preliminary Lemmas						
	_	4 Subgroups						
		.5 Lagrange's Theorem, Corollaries to Lagrange's Theorem						
	1.6 A Cou 1.7	.6 A Counting Principle						
		JNIT II (15 hours) (K1, K2, K3 & K4)						
		is nours) (is	11, 112	2, K3 & K.	")			
	Group The	eory (Conti	nned)					
	Group In	cory (contin	ilucu)					
	2.1 Normal	Subgroups						
	2.2 Quotier							
	2.3 Homon							
		of a Homon	orphi	sm				
	2.5 Isomor		r					
	_	ms on Isomo	orphis	m				
		15 hours) (1			(4)			
	Ì		,	,	•			
	Group The	eory (Conti	nued)					
	_							
	3.1 Automo	orphisms						
		orphisms (Co	ontinu	ied)				
		's Theorem						
		ation Groups	S					
	3.5 Cycles	and Transpo	sition	ıs				
	3.6 Even aı	nd Odd Perm	nutatio	ons				

	UNIT IV (15 hours) (K1, K	2, K3 & K4)						
	Ring Theory							
	4.1 Definition of a Ring 4.2 Examples of Ring 4.3 Some Special Classes of Rings							
	.4 Integral Domain .5 Homomorphisms and Isomorphisms							
	4.6 Ideals and Quotients Ring UNIT V (15 hours) (K1, K2							
	Ring Theory (Continued)							
	5.1 Ideals and Quotients Rings (Continued) 5.2 Maximal Ideals							
	5.3 The field of Quotients of 5.4 Euclidean Rings	<u> </u>						
	5.5 Euclidean Rings (Continum)5.6 Unique Factorisation The							
	ssional Component (isa part of nent only, not to be included in various competitive examinations UPSC/JAM							
	I. N. Herstein – Topics in A 2006.	lgebra – John Wiley & Sons, Inc., Second Edition,						
ReferenceBooks		Thangapandi Issac – Modern Algebra - Scitech Ltd., 3 rd Edition, Reprint, 2005.						
	2. S.G. Venkatachalapathy -	- Modern Algebra – Margham Publications, 2003.						
	3. M.L.Santiago -Modern A Ltd, New Delhi, 2002.	lgebra, Tata McGraw Hill Publishing Company						
Website and e- learning source	1. https://nptel.ac.in/ 2. www.coursera.org/ 3. https://swayam.gov.ir	<u>\</u>						

On completion of the course, the students should be able to

CO1: Understand the concepts of groups and sub groups.

CO2: Know about normal subgroups, quotient groups, homomorphisms and isomorphisms.

CO3: Understand the concepts of automorphisms for constructing new groups from the given groups.

CO4: Have knowledge on concepts of ring theory.

CO5: Understand the concepts of maximal ideals and Euclidean rings.

CO	PO								
CO	PO1	PO2	PO3	PO4	PO5	PO 6			
CO1	Н	Н	Н	L	L	M			
CO2	Н	Н	Н	L	L	M			
CO3	Н	Н	Н	L	L	M			
CO4	Н	Н	Н	L	L	M			
CO5	Н	Н	Н	L	L	M			

CO	PSO								
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO 6			
CO1	Н	M	Н	Н	M	L			
CO2	Н	M	Н	Н	M	L			
CO3	Н	M	Н	Н	M	L			
CO4	Н	M	Н	Н	M	L			
CO5	Н	M	Н	Н	M	L			

Title of the				REAL A	NALYSIS	S		
Course								
Paper No.	Core X							
Category	Core	Year	III	Credits	4	Course	UCMAJ24	
		Semester	V			Code		
Instructional hours	Lecture	Tutorial		Lab Prac	ctice	Total		
per week	4	1		-			5	
Prerequisites	Higher Se	condary Ma	them	atics				
Objectives of the	• To (create an inte	erest	and to deep	en the kno	wledge of	students in concepts	
course	of r	eal analysis.						
	• To 1	make the stu	dents	think logic	ally and o	bjectively.		
	 To 	make the	stude	ents under	stand the	concepts	of connectedness,	
	Cor	npactness, C	ompl	leteness of	Metric spa	ices.		
					_			
Course Outline	UNIT I (1	15 hours) (K	(1, K	2, K3 & K	4)			
	Continuity	and Conne	ected	ness				
	1.1 Open so	ets						
	1.2 Open so	1.2 Open sets (Continued)						
	1.3 Closed	1.3 Closed sets						
		1.4 Closed sets (Continued)						
	1.5 Discont	tinuous func	tion c	on R ¹				
	1.6 Connec	eted sets						
	Unit II (1	5 hours) (K	1, K2	2, K3 & K4	 			
	Complete	ness and Co	mpa	ctness				
	2.1 Bounde	ed sets and to	otally	bounded so	ets			
		ete metric sp						
		ct metric spa						
		uous function			metric spa	ice		
		uity of invers	se fur	ections				
	2.6 Uniforr	n continuity						
		(15 hours)	-	K2, K3 &	K4)			
		nann Integra						
		measure zer						
		ion of Riema			nd lower s	um		
		ion of the Ri						
		ce of the Rie						
		ms on Riema						
	3.6 Propert	ies of the Ri	eman	n integral				

	UNIT-IV: (15 hours) (K1, K	(2, K3 & K4)					
	The Lebesgue Integral	, 1.0 & 12.1)					
	4.1 Length of open sets and c	losed sets					
	4.2 Inner and Outer measure						
	4.3 Measurable sets						
	4.4 Properties of measurable sets						
	4.5 Theorems on measurable sets						
	4.6 Symmetric difference and	4.6 Symmetric difference and its theorem					
	UNIT-V: (15 hours) (K1, K						
	The Lebesgue Integral (Cor						
	5.1 Definition and example o						
	5.2 Theorems on measurable						
		of the Lebesgue integral for bounded function					
	5.4 Theorems on Lebesgue in	-					
	5.5 Properties of the Lebesgue integral for bounded measurable functions						
	5.6 Relationship between Rie	emann and Lebesgue integral					
	nl Component (isa part of nly, not to beincluded in ion	Questions related to the above topics, from various competitive examinations UPSC/JAM /TNPSC and others to be solved (To be discussed during the Tutorial hours)					
Recommended Text	_	ethods of Real Analysis – Oxford & IBH ew Delhi, Indian Edition, 2020.					
ReferenceBooks	 Principles of Mathematical Analysis by Walter Rudin, Tata McGraw Hil Education, Third edition (1 July 2017). Mathematical Analysis Tom M A postal, Narosa Publishing House 2ndedition (1974), Addison-Wesley publishing company, New Delhi 						
Website and e- learning source	1. https://nptel.ac.in 2. www.coursera.org 3. https://swayam.gov.in	<u>/</u>					

On completion of the course, the students should be able to

CO1: Explain the concepts of Continuous and Discontinuous functions, open and close sets, Connectedness, Completeness and Compactness.

CO2: Explain the concepts of bounded and totally bounded sets, continuity of inverse functions and Uniform continuity

CO3: Define the sets of measure zero, to Explain about the existence and properties of Riemann integral.

CO4: Assimilate the concept of partition on an interval in Riemann Integral and understand about lebesgue Integrability.

CO5: Acquire knowledge about measurable functions and their properties.

G 6	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO1	Н	Н	Н	L	L	Н		
CO2	Н	Н	Н	L	L	Н		
CO3	Н	Н	Н	M	L	Н		
CO4	Н	Н	Н	M	M	Н		
CO5	Н	Н	Н	M	M	Н		

	PSO									
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6				
CO1	Н	Н	M	M	M	L				
CO2	Н	Н	Н	M	Н	L				
CO3	Н	M	Н	M	Н	L				
CO4	Н	M	M	Н	Н	L				
CO5	Н	Н	M	M	Н	L				

Title of the Course	MATHEMATICAL MODELING							
Paper No.	Core XI							
Category	Core	Year Semester	III V	Credits	4	Course Code	UCMAK24	
Instructional hours	Lecture	Tutorial	,	Lab Prac	rtice	Code	Total	
per week	4	1		-			5	
Prerequisites	Higher Se	condary Ma	them	atics				
Objectives of the					Mathema	tical models	s found in real life	
course		blems		<i>J</i> ** ** **				
	• Mod	deling through	h diffe	erential and o	difference	equations		
						•		
G 0 11				A 172 0 17	4\			
Course Outline	,	15 hours) (K		2, K3 & K ²	1)			
	Mathemat	ical Modelli	ıng					
	1 1 Simple	situations re	aniri	na mathama	atical may	dalling		
	_	chnique of M	-	-		uening		
		cation of Ma			_			
		ication of M			_	Continued)		
		teristics of m			•	onunaea)		
		teristics of m				tinued)		
		5 hours) (K			,			
	1	tical Model		•	•	equations		
						_		
		Growth and		•				
		Growth and		•		d)		
		near growth		•				
		near growth		decay mode	ls (Contii	nued)		
		rtment mode						
		artment mod						
		(15 hours)	. ,			1. 1.0	no 41 1 41	
			ling	through sys	stem of o	rdinary dif	ferential equations	
	of first ord	er						
	2 1 Drove	adatar mada	J.					
		edator mode tition models						
		ecies model						
		e Epidemic M						
	_	eptible-Infect		iscentible (S	IS) Model			
		odel with co		_		•		

	UNIT-IV: (15 hours) (K1, I Introduction to difference 6						
	4.1 The need for Mathematical Modelling through Difference Equations- Som Simple Models 4.2 Basic theory of Linear Difference Equations with constant coefficients-The linear Difference Equation 4.3 The Complementary function 4.4 The Particular solution 4.5 Obtaining the Complementary Function by use of Matrices 4.6 Solution of a system of Linear Homogeneous Difference Equations with Constant Coefficients						
	UNIT-V: (15 hours) (K1, F) Mathematical Modelling the 5.1 The Harrod Model 5.2 The Harrod Model (Cor 5.3 The Cobweb model 5.4 The Cobweb model (Cor 5.5 Application to Actuarial 5.6 Application to Actuarial	entinued) ontinued) Science					
	al Component (isa part of nly, not to beincluded in ion	Questions related to the above topics, from various competitive examinations UPSC/JAM /TNPSC and others to be solved (To be discussed during the Tutorial hours)					
Recommended Text	J N Kapur, Mathematical Mo	odeling, New Age International publishers (2009)					
ReferenceBooks	 Mathematical Modeling by Bimalk. Mishra and Dipak K.Satpathi. An Books Pvt. Ltd(1 January 2009) Mathematical Modeling Models, Analysis and Applications, by Sandi Banerjee, CRC Press, Taylor & Francis group, 2014 Mathematical Modeling applications with Geogebra by Jonas Hall & Thomas Ligefjard, John Wiley & Sons, 2017 						
Website and e- learning source	1. https://nptel.ac.in/ 2. www.coursera.org 3. https://swayam.gov.in						

On completion of the course, the students should be able to

CO1: Explain simple situations requiring Mathematical Modeling and to Determine the characteristics of such models

CO2: Model using differential equations in-terms of linear growth and Decay models

CO3: Model using systems of ordinary differential equations of first order, to discuss about various models under the categories 'Epidemics' and 'Medicine'

CO4: Explain in detail about difference equations

CO5: Model using difference equations.

	PSO									
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6				
CO1	Н	Н	Н	Н	Н	L				
CO ₂	Н	M	Н	M	Н	L				
CO3	Н	Н	M	M	Н	L				
CO4	Н	M	M	M	Н	L				
CO5	Н	M	Н	Н	Н	L				

	PO									
CO	PO1	PO2	PO3	PO4	PO5	PO6				
CO1	Н	Н	Н	M	M	Н				
CO2	Н	Н	Н	M	M	Н				
CO3	Н	Н	Н	M	M	Н				
CO4	Н	Н	Н	M	M	Н				
CO5	Н	Н	Н	M	M	Н				

Title of the		0	PTIN	MIZATIO	N TECH	INIQUES		
Course								
Paper No.	CORE X	II						
Category	CORE	Year	II	Credits	4	Course	UCMAL24	
		Semester	IV			Code		
Instructional	Lecture	Tutorial		Lab Pra	ctice		Total	
hours per week	4	1		-			5	
Prerequisites	Higher S	econdary M	I athe	ematics				
Objectives of the	• To	apply prob	lem-	solving sk	ills to rea	l-life situa	tions.	
Course	• To	develop lo	gical	and analy	tical skill	S.		
		-		•				
0 0 0	TINITED T /4	<i>7</i> 1 \ 7	[74 -	70 170 0	T7 4)			
Course Outline	•	5 hours) (l		62, K3 &	K4)			
		ogrammin	\mathbf{g}					
	1.1 Introdu							
	1.2 Scope of OR							
	1.3 Formulation of Linear Programming Problem 1.4 Graphical Method							
	_							
		rd Form of	LPP					
	1.6 Simple	ex Method						
	UNIT II (15 hours) ((K1,	K2, K3 &	K4)			
	Transpor	tation Mod	lel					
	2.1 Introd	luction – M	[athe	matical Fo	rmulation	1		
	2.2 Findi	ng Initial B	asic	Feasible S	olution-N	orth West	Corner Rule	
		x Minima I						
	2.4 Voge	l's Approxi	mati	on Method	l – Optim	ality Test -	 MODI Method 	
	2.5 Unba	lanced Trar	ispor	tation Prol	blem			
	2.6 Maxi	mization Pr	oble	m				
	TINITE III	(15 h ours)	(TZ 1	W2 W2 (P- 1//A)			
	Assignme	(15 hours)	(K 1	, K 2, K 3 c	x N4)			
	_		lom I	Mothomoti	cal Form	ulation of t	tha Assianment	
	Proble		ICIII-1	viauiciiiau	cai i oiiii	uiation of t	the Assignment	
		m rian Metho	d_ S ^	lution to A	ccianma	nt Drohlam		
	_	anced Assig			_	nt I IOOICIII	·	
		nization Assig	_					
						tical Form	ulation	
		ling Salesm				ucai foiill	uiatiOii	
	0.0 3 01ut10	on to Trave	mng	Salesman	rroblem			

	UNIT IV (15 hours) (K1,	K2, K3 & K4)			
	Game Theory				
	 4.1 Introduction – Characteristics of Games – Definitions 4.2 The Maximin-Minimax Principle 4.3 Two-Person Zero-Sum Games with Saddle Point 4.4 Two-Person Zero-Sum Games without Saddle Point (Mixed Strategies)-Algebraic Method 4.5 Method of Dominance 4.6 Graphical Method for 2xn or mx2 Games (without saddle point) 				
	UNIT-V: (15 hours) (K1,	K2, K3 & K4)			
	PERT and CPM				
	5.3 Time Calculations and 5.4 Determination of Float 5.5 Critical Path Method (0	Critical Path in Network Analysis Critical Path in Network Analysis (Continued) s and Slack Times CPM)			
Extended Profession	5.6 Program Evaluation an nal Component (isa part	d Review Technique (PERT) Questions related to the above topics from			
of internal compone included in theexte question paper)	ent only, not to be	various competitive examinations UPSC/JAM /TNPSC and others to be solved (To be discussed during the Tutorial hours)			
Recommended					
Text	1. P.K. Gupta and D.S. F Edition – Chand and C	Hira – Problems in Operations Research, 1 st Company Ltd., 2010.			
ReferenceBooks	 S. Kalavathy – Operations Research, 2nd Edition – Vik Publications Ltd., 2002. S. J. Venkatesan – Operations Research, 3rd Edition – J Publications, Printed by Udayam Offsets, Chennai, 1999. V.K. Kapoor – Operations Research, 5th Edition – Sultan Chand a Sons, Educational Publishers, New Delhi, Revised Reprint, 1996. 				
Website and e- learning source	1. https://nptel.ac.in/ 2. www.coursera.org 3. https://swayam.gov	<u>.in</u>			

On completion of the course, the students should be able to

CO1: Translate the real-world problems into linear programming problems and obtain solutions.

CO2: Apply the transportation problem techniques for the optimization of cost.

CO3: Solve the assignment problem which deals with the allocation of various sources to various destinations on one-to-one basis.

CO4: Find the optimum strategies of the players and the value of the 2-person games.

CO5: Perform network planning using PERT & CPM techniques which provide a methodology for planning and controlling of a project.

СО	PO								
CO	PO1	PO2	PO3	PO4	PO5	PO 6			
CO1	Н	Н	Н	L	L	Н			
CO2	Н	Н	Н	L	L	Н			
CO3	Н	Н	Н	L	L	Н			
CO4	Н	Н	Н	L	L	Н			
CO5	Н	Н	Н	L	L	Н			

СО	PSO									
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO 6				
CO1	Н	M	Н	Н	M	L				
CO ₂	Н	M	Н	Н	M	L				
CO3	Н	M	Н	Н	M	L				
CO4	Н	M	Н	Н	M	L				
CO5	Н	M	Н	Н	M	L				

Title of the	GRAPH THEORY AND APPLICATIONS									
Course	<u></u>									
Paper No.	Discipline Specific Elective III									
Category	Discipline	Year	III	Credits	3	Course	UEMAA24			
	Specific	Semester	V			Code				
	Elective									
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total			
per week	3	1		_			4			
Prerequisites	Higher Se	condary Ma	thema	atics						
Objectives of the	 To i 	ntroduce the	stud	ents to the	beautiful a	and elegant	theory of graphs.			
course	• To	study and de	evelo	p the conce	pts of diff	erent graph	s.			
Course Outline	UNIT I (1	2 hours) (K	1, K	2, K3 & K4	4)					
		d Subgraph		,	•					
		ction to Grap		Subgraphs						
	1.2 Degree	of a vertex	-	0 1						
	1.3 Isomorp	hism of gra	phs							
	1.4 Indepen	dent sets an	d cov	erings						
	1.5 Intersec	tion graphs	and li	ine graphs						
	1.6 Operation	ons on graph	ıs.							
		2 hours) (K			b)					
		dness and c	_	onents						
		Trails and P								
		tedness and	comp	onents - cu	it point					
	2.3 Bridge									
	2.4 Block									
		Connectivity	1							
	2.6 Edge Co	onnectivity								
		(12 hours)	(K1,	K2, K3 &	K4)					
	Trees									
		ntroduction								
	3.2 Forest									
		ent property	of tr	ee						
	3.4 Spannin									
	3.5 Centre									
	3.6 Results	in Centre of	a tre	e						

	UNIT-IV: (12 hours) (K1, K2, K3 & K4) Eulerian and Hamiltonian graphs 4.1 Eulerian graphs 4.2 Equivalent property of Eulerian graphs 4.3 Hamiltonian graphs 4.4 Property of Hamiltonian graphs 4.5 Simple problems in Hamiltonian graphs 4.6 Algorithm UNIT-V: (12 hours) (K1, K2, K3 & K4)						
	Planarity 5.1 Planarity-Introduction 5.2 Planarity-Definition 5.3 Simple Problems in Plana 5.4 Planarity properties 5.5 Characterization of plana 5.6 Theorems on Planarity gr	rity r graph					
	al Component (isa part of only, not to beincluded in ion	Questions related to the above topics, from various competitive examinations UPSC/JAM /TNPSC and others to be solved (To be discussed during the Tutorial hours)					
Recommended Text	Publications, India Pvt. Ltd.,	andran, Invitation to Graph Theory, SITECH 2006 thy, Graph Theory with Applications, Macmillon,					
ReferenceBooks	ferenceBooks 1.S.Kumaravelu, Susheela Kumaravelu, Graph Theory, SKV Publishers, Sivakasi, 1999. 2. S.A.Choudham, A First Course in Graph Theory, Macmillan India Ltd, 2 3. Robin J. Wilson, Introduction to Graph Theory, Prentice Hall, 2012. 4. Harray, Graph Theory, Narosa Publication, 1998.						
Website and e- learning source	1. www.coursera 2. https://nptel.ac 3. https://swayan	e.in/					

On completion of the course, the students should be able to

CO1: Understand the basic graph theory concepts

CO2: Analyze the connectedness in graphs using vertices and edges.

CO3: Identify the uniqueness of paths using tree concepts.

CO4: Acquire wide knowledge of mathematical principles of graphs

CO5: Understand the emerging research topics based on graphs

	PSO								
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	M	Н	Н	L			
CO2	Н	Н	Н	M	L	Н			
CO3	Н	Н	Н	Н	Н	M			
CO4	Н	Н	M	L	Н	Н			
CO5	Н	Н	M	Н	Н	L			

CO	PO									
CO	PO1	PO2	PO3	PO4	PO5	PO6				
CO1	Н	Н	Н	L	L	Н				
CO2	Н	Н	Н	L	L	Н				
CO3	Н	Н	Н	M	M	Н				
CO4	Н	Н	Н	M	M	Н				
CO5	Н	Н	Н	M	M	Н				

Title of the	NUMBER THEORY						
Course							
Paper No.	Discipline Specific Elective IV						
Category	Discipline	Year	III	Credits	3	Course	UEMAB24
	Specific	Semester	V			Code	
	Elective						
Instructional	Lecture	Tutorial	Lab Practice Total				
hours per week	3	1	4				
Prerequisites	Higher Secondary Mathematics						
Objectives of	1. To introduce students to the concept of number theory, thereby enhancing						
the course	the logical thinking of the students with regard to applications in security						
	systems.						
	2. To construct the ability of students to work independently and do in-depth						
C O-41:	study of various notions of number theory.						
Course Outline	UNIT I (12 hours) (K1, K2, K3 & K4)						
	Distribution of Primes and Theory of Congruencies						
	1.1 Linear Diophantine equation, Prime counting function						
	1.1 Prime number theorem, Goldbach conjecture1.2 Twin-prime conjecture, Odd perfect numbers conjecture						
	1.4 Fermat and Mersenne primes, Congruence relation and its properties						
	1.5 Linear congruence and Chinese remainder theorem						
	1.6 Fermat's little theorem, Wilson's theorem.						
	Unit II (12 hours) (K1, K2, K3 & K4)						
	Number Theoretic Functions						
	2.1 Number theoretic functions for sum and number of divisors						
	2.2 Multiplicative function						
	2.3 The Möbius inversion formula						
	2.4 Greatest integer function						
	2.5 Euler's phi-function and properties						
	2.6 Euler's theorem						
	UNIT III: (12 hours) (K1, K2, K)						
	Primitive Roots						
	3.1 Order of an integer modulo n						
	3.2 Primitive roots for primes						
	3.3 Composite numbers having primitive roots						
	3.4 Definition of quadratic residue of an odd prime						
	3.5 Euler's criterion						
	3.6 Problems						

	UNIT IV: (12 hours) (K1 K2	2 K3 & K4)				
	UNIT IV: (12 hours) (K1, K2, K3 & K4) Quadratic Reciprocity Law					
	4.1 The Legendre symbol and its properties					
	4.1 The Legendre symbol and its properties 4.2 The Legendre symbol and its properties-problems					
	4.2 Quadratic reciprocity					
	4.4 Quadratic reciprocity – problems					
	4.5 Quadratic congruencies with composite moduli					
	4.6 Quadratic congruencies with composite moduli –problems					
	UNIT-V: (12 hours) (K1, K2, K3 & K4)					
	Applications					
	5.1 Public key encryption					
	5.2 Public key encryption (continued)					
	5.3 RSA encryption and decryption					
	5.4 RSA encryption and decryption (Continued)					
	5.5 RSA encryption and decryption with applications in security systems					
	5.6 RSA encryption and decryption with applications in security systems					
	(Continued)					
	nalComponent(isapartofinter	Questionsrelatedtotheabovetopics,fromvariousco				
1	nottobeincludedintheexternal	mpetitiveexaminationsUPSC/JAM/TNPSCandoth				
examination		erstobesolved				
Question paper)		(To be discussed during the Tutorial hours)				
Recommended	David M. Burton -Elementary Number Theory, 7th edition, McGraw-Hill., 2007.					
Text		,				
Reference	1 Caroth A Janes & I Mary Janes Elementary Number Theory Carings					
Books	1. Gareth A. Jones & J. Mary Jones -Elementary Number Theory. Springer, 2005.					
DOOKS						
	2. Neville Robbins - Beginning Number Theory, 2nd edition, Narosa, 2007.					
	3. I.Niven - An Introduction to the Theory of Numbers, 5th edition, John Wiley & Song 2012					
	Wiley & Sons, 2012.					
	4. 5. Neal Koblitz - A Course in Number Theory and Cryptography, 2nd					
	edition, Springer-Verlag. 1994.					
Websiteande-						
learningsource	1 letters//ental as in					
	1. https://nptel.ac.in					
	2. www.coursera.org					
	3. https://swayam.gov.in/					

On completion of the course, the students should be able to

The learners will be able to

CO1: Learn about some important results in the theory of numbers including the prime number theorem, Chinese remainder theorem, Wilson's theorem and their consequences.

CO2: Learn about number theoretic functions, modular arithmetic and their applications.

CO3: Familiarize with modular arithmetic and find primitive roots of prime and composite numbers.

CO4: Know about open problems in number theory, namely, the Goldbach conjecture and twin-prime conjecture.

CO5: Apply public crypto systems, in particular, RSA.

	PSO						
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6	
CO1	Н	Н	M	Н	M	L	
CO ₂	Н	Н	M	M	Н	L	
CO ₃	Н	Н	M	Н	Н	L	
CO4	Н	Н	M	Н	M	L	
CO5	Н	Н	M	M	M	L	

СО			P	O		
	PO1	PO2	PO3	PO4	PO5	PO6
CO1	Н	Н	Н	L	L	Н
CO2	Н	Н	Н	L	L	Н
CO3	Н	Н	Н	M	L	Н
CO4	Н	Н	Н	M	M	Н
CO5	Н	Н	Н	M	M	Н

Paper No. Generic Elective III	Total 3
Category Generic Year III Credits 3 Course Elective Semester V Code	Total
Elective Semester V Code	Total
Instructional hours Lecture Tutorial Lab Practice	
	3
per week 3	
Prerequisites Higher Secondary Mathematics	
Objectives of the 1. Thinking of the students with regard to programmin	
course 2. To train the students to apply the programming	g concepts of C to
mathematical investigations and problem solving. 3. To enhance the ability of students to work independ	antly and do in donth
study of various notions of programming.	entry and do m-depth
study of various notions of programming.	
Course Outline UNIT I (9 hours) (K1, K2, K3 & K4)	
Overview of C, Constants, Variables and Data types	
1.1 Basic Structure of C programs – Character set	
1.2 C tokens – Keywords and Identifiers	
1.3 Constants – Variables	
1.4 Data types – Declaration of variables	
1.5 Assigning values to variables	
1.6 Defining symbolic constants – Declaring a variable as c	onstant
Unit II (9 hours) (K1, K2, K3 & K4)	
Operators, Expressions, Managing Input and Output O	perations
2 1 Introduction Arithmetic Operators Relational Operators	Logical Operators
2.1Introduction-Arithmetic Operators-Relational Operators- 2.2 Assignment Operators - Increment and Decrement Operators	•
2.2 Assignment Operators - Increment and Decrement Operators - Special Operators - Spe	
2.4 Type Conversions in Expressions	Crators
2.5 Operator Precedence and Associativity	
2.6 Formatted Input-Formatted Output	
UNIT-III: (9 hours) (K1, K2, K3 & K4)	
Decision Making and Branching, Decision Making and	Looping
3.1 Introduction - Decision Making with IF Statement	
3.2 Simple IF – IF ELSE - Nesting of IF ELSE statements	
3.3 The ELSE IF Ladder - The SWITCH statement	
3.4 The conditional (?:) operator- The GOTO statement	
3.5 Introduction - The WHILE statement – The DO stateme	nt
3.6 The FOR statement - Jumps in LOOPS	

	UNIT-IV: (9 hours) (K1, K	2. K3 & K4)					
	Arrays and User-Defined F						
	4.1 Introduction – One Dime						
	4.2 Declaration and Initialization of One Dimensional Array						
	4.3 Two Dimensional Arrays - Initializing Two Dimensional Arrays						
	4.4 Introduction – Need for U	•					
	4.5 Elements of user-defined	functions – Definition of functions – Return values					
	and their types						
	4.6 Function calls – Function	declaration - Nesting of functions – Recursion.					
	UNIT-V: (9 hours) (K1, K2	2, K3 & K4)					
	Structures and Unions, Po	inters					
	5.1 Introduction-Defining a	structure-Declaring structure variables-Accessing					
	structure members						
	5.2 Structure initialization-co	pying and comparing structure variables					
	5.3 Operations on individual						
		 Accessing the address of a variable – Declaring 					
	pointer variables						
	-	ariables-Accessing a variable through its pointer					
	5.6 Chain of pointers						
	al Component (isa part of	Questions related to the above topics, from					
_	only, not to beincluded in	various competitive examinationsUPSC/JAM					
theexternal examina	tion	/TNPSC and others to be solved					
question paper)		(To be discussed during the Tutorial hours)					
Recommended	1. E. Balagurusamy, Progr	l camming in ANSI C, 8 th Edition, McGraw Hill					
Text		ited, New Delhi, India, 2022.					
ReferenceBooks		Programming with C, Pearson Publication, 2009.					
	-	erence, Herb Schildt, 4 th Edition, Tata McGraw Hill					
	Publishers, 2017	'1 . C					
		guide to C programming language, Yashavant					
	Kanetkar, (18th Editi	on), BPB Publications, 2021					
Website and e-	1. https://nptel.ac.in/						
learning source							
icarining source	2. <u>www.coursera.org</u> 3. https://swayam.gov.in						
	5. https://swayam.gov.m						
Course Outcomes:	•						
On completion of the	course the students should be	-11-4-					

On completion of the course, the students should be able to

CO1: Understand the basics of programming in C such as tokens, data types, operators etc.

CO2: Use the Decision making-branching and looping statements in C programming.

CO3: Handle the concept of arrays and the concept of the user defined functions.

CO4: Express the uses of structures and pointers

CO5: Understand and apply the programming concepts of C to problem solving.

	PSO						
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6	
CO1	Н	Н	Н	Н	L	Н	
CO ₂	Н	M	Н	M	M	Н	
CO ₃	Н	M	Н	M	M	Н	
CO4	Н	Н	Н	Н	L	Н	
CO5	Н	M	Н	Н	L	Н	

	PO						
CO	PO1	PO2	PO3	PO4	PO5	PO6	
CO1	Н	Н	Н	M	M	Н	
CO2	Н	Н	Н	M	M	Н	
CO3	Н	Н	Н	M	M	Н	
CO4	Н	Н	Н	M	M	Н	
CO5	Н	Н	Н	M	M	Н	

Title of the	ELECTIVE PRACTICAL: C						
Course							
Paper No.	Generic Ele	Generic Elective III					
Category	Generic	Year	III	Credits	1	Course	UEMAD24
	Elective	Semester	V			Code	
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total
per week				2			2
Prerequisites	Higher Se	condary Ma	them	atics			
Objectives of the	 To 	introduce s	tuden	ts to the	concept of	f basic pro	gramming, thereby
course	enh	ancing the	logi	cal thinki	ng of th	ne student	s with regard to
	pro	gramming.					
	 To 	train the s	tuden	ts to appl	y the pro	gramming	concepts of C to
		hematical in	vesti	gations and	problem s	solving.	
Course Outline	Simple Pro	_					
	/	Sum of 'n' na					
	· ·	Quadratic Eq	-	n			
	· · · · · · · · · · · · · · · · · · ·	Simple Intere					
		Mean, Stand			d Variance	·.	
		Generating P					
		argest of the	ree nu	mbers.			
		n of Series:					
	a) Sin(x)						
	b) Cos(x)	_					
	Recursion	: a) nPr and n(~ <u>.</u> .				
		b) GCD of ty		mhora			
		nipulation:		moers.			
) Addition a		htraction			
) Transpose.		otraction			
		d Searching					
	0	Bubble sort	_	nle prograr	n)		
		Binary sear			/		
	Structures	•					
	Grades of s	tudents of a	class	using struc	eture		
Extended Professiona						the above	topics, from
internal component of	t only, not to beincluded in various competitive examinations UPSC/JAM						
theexternal examinati							
question paper)	(To be discussed during the Tutorial hours)						
Recommended	E. Balagu	rusamy, Prog	gramı	ning in AN	ISI C, 8 th I	Edition, Mc	Graw Hill
Text	Education	Private Lim	nited,	New Delhi	, India, 20	22.	

ReferenceBooks	 Ashok N. Kamathne –Programming with C- Pearson publication, 2009. C: The Complete Reference, Herb Schildt, 4th Edition, Tata McGraw Hill Publishers, 2017 Let Us C: Authentic guide to C programming language, Yashavant
	Kanetkar, (18th Edition), BPB Publications, 2021
Website and e-	
learning source	1. https://nptel.ac.in/
	2. <u>www.coursera.org</u>
	3. https://swayam.gov.in

On completion of the course, the students should be able to

CO1: Implement programs with branching and looping statements.

CO2: Write programs that perform operations using derived data types and functions.

CO3: Demonstrate a thorough understanding of arrays by designing and implementing programs that search and sort arrays.

CO4: Perform Matrix operations using C.

CO5: Use structures and pointers in C programs

	PSO						
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6	
CO1	Н	Н	Н	Н	L	Н	
CO ₂	Н	M	Н	M	M	Н	
CO3	Н	M	Н	M	M	Н	
CO4	Н	Н	Н	Н	Н	Н	
CO5	Н	M	Н	Н	L	Н	

	PO						
CO	PO1	PO2	PO3	PO4	PO5	PO6	
CO1	Н	Н	Н	M	M	Н	
CO2	Н	Н	Н	M	M	Н	
CO3	Н	Н	Н	M	M	Н	
CO4	Н	Н	Н	M	M	Н	
CO5	Н	Н	Н	M	M	Н	

Title of the	LINEAR ALGEBRA						
Course	Cana VIII						
Paper No.	Core XIII	Voor	TTT	Cradita	4	Солия	UCMAL24
Category	Core	Year Semester	III VI	Credits	4	Course Code	UCMAL24
Instructional hours	Lecture	Tutorial	VI	Lab Prac	otios	Code	Total
per week	5	1 utoriai		Lab Frac	cuce		6
Prerequisites		condary Ma	thom	otios			0
Objectives of the		introduce the			or algabr	0	
Course				-	_		and their matrices.
		rammanze t	ne co	neepts of in	iicai traiisi	iormations (and then matrices.
Course Outline	IINIT I (19	8 hours) (K	1 K2	K3 & K4	<u> </u>		
Course Outilite	Vector Spa		1, 112	, 113 & 114 _,	,		
	_	ion and Exa	nples	of Vector S	Space		
		ces and Hon	-		- F		
		nt Spaces, In			nal Direct	Sum	
		Span, Linear					
	1.5 Basis, I	Properties of	Basis	S			
	1.6 Dimens	sions of a Ve	ector S	Space			
		18 hours) (K		2, K3 & K4	1)		
	_	aces (Contir					
	_	paces – Hom)
		ion and Exai	-		-	ace	
		of a Vector a		-	. •		
	2.4 Orthogo 2.5 Orthon	onal Vectors	ana	Orthogonal	Complen	nent	
			1000n	olization D	200000		
		Schmidt Orth					
		(18 hours) (1		2, K3 & K	(4)		
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		ion of Algeb					
		al polynomia				ons	
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		and Rank of teristic Root				on.	
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	5.0 Charac		010				

	UNIT IV (18 hours) (K1, K2, K3 & K4) Linear Transformations (Continued) 4.1 Definition of Matrix of a Linear Transformation 4.2 Computation of Matrices of Linear Transformation 4.3 Isomorphism of A(V) onto F _n 4.4 Computation of the Matrix of a Linear Transformation from a Known Basis 4.5 Similar Linear Transformations 4.6 Triangular Form UNIT V (18 hours) (K1, K2, K3 & K4)					
	Linear Transformations (Continued) 5.1 Trace of a Matrix and Properties 5.2 Trace of a Linear Transformation 5.3 Transpose of a Matrix and Properties 5.4 Determinants – Definition and Properties 5.5 Cramer's Rule 5.6 Cayley-Hamilton Theorem					
	al Component (isa part of only, not to beincluded in tion	Questions related to the above topics, from various competitive examinations UPSC/JAM/TNPSC and others to be solved (To be discussed during the Tutorial hours)				
Recommended Text	I.N. Herstein – Topics in Alg Second Edition, 2006.	ebra – John Wiley & Sons, Inc.,				
ReferenceBooks	 J.N. Sharma and A.R. Vashistha – Linear Algebra, Krishna Prakash Nanda, 1981. Lloyd R.Jaisingh, Frank Ayres – Abstract Algebra - Schaum's outlines – Tata McGraw Hill Publishing Company Limited, New Delhi, 2005. M.L.Santiago – Modern Algebra, Tata McGraw Hill Publishing Company Ltd., New Delhi, 2002. 					
Website and e- learning source	1. https://nptel.ac.in/ 2. www.coursera.org/ 3. https://swayam.gov.ir					

On completion of the course, the students should be able to

CO1: Understand the concepts of linear span, basis, linear dependence and independence.

CO2: Analyze the concepts of dual spaces in vector space and inner product space.

CO3: Understand the concepts of linear transformation, characteristic roots and characteristic vectors.

CO4: Obtain the matrix for linear transformations.

CO5: Acquire knowledge about determinants, trace and transpose by linear transformations.

CO			PS	SO			
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO 6	
CO1	Н	M	Н	Н	M	L	
CO2	Н	M	Н	Н	M	L	
CO3	Н	M	Н	Н	M	L	
CO4	Н	M	Н	Н	M	L	
CO5	Н	M	Н	Н	M	L	

СО	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO 6		
CO1	Н	Н	Н	L	L	M		
CO2	Н	Н	Н	L	L	M		
CO3	Н	Н	Н	L	L	M		
CO4	Н	Н	Н	L	L	M		
CO5	Н	Н	Н	L	L	M		

Core XIV Paper No. Core Year III Credits 4 Course Code UCMAM Instructional hours per week 5 1	Title of the Course		COMP	PLEX A	NALYSIS					
Category Core Year III Credits 4 Course Code UCMAM Instructional hours per week Lecture Tutorial Lab Practice Total Prerequisites Higher Secondary Mathematics - 6 Objectives of the course 1. To introduce the fundamental ideas of the functions of complex variable 2. To impart the basic knowledge of holomorphic functions, Cauch integral formula and the residue theorem Course Outline UNIT I (18 hours) (K1, K2, K3 & K4) Analytic Functions 1.1 Regions in the Complex Plane 1.2 Limits 1.3 Theorems on limits 1.4 Continuity 1.5 Derivatives 1.6 C-R Equations 1.6 C-R Equations Unit II (18 hours) (K1, K2, K3 & K4) Mapping 2.2 Bilinear transformations 2.3 Cross-Ratio -Theorems and problems 2.4 Linear Transformation $w = \sqrt{z}$, $w = e^z$, $w = \sin z$ and $w = \cos z$ 2.5 Transformation $w = \sqrt{z}$, $w = e^z$, $w = \sin z$ and $w = \cos z$ 2.6 Linear fractional transformations — An Implicit Form UNIT-III: (18 hours) (K1, K2, K3,K4) Complex Integrals, Line and Contour Integrals — Examples		Core VIV								
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2.5 Transformation $W = \sqrt{z}$, $W = e^z$, $W = sinz$ and $W = cosz$ 2.6 Linear fractional transformations – An Implicit Form UNIT-III: (18 hours) (K1, K2, K3,K4) Complex Integration 3.1 Definite integrals, Line and Contour Integrals – Examples 3.2 Cauchy's Theorem Cauchy – Goursat Theorem		2.3 Cross-Ratio -	Theorems and	probler	ns					
2.6 Linear fractional transformations – An Implicit Form UNIT-III: (18 hours) (K1, K2, K3,K4) Complex Integration 3.1Definite integrals, Line and Contour Integrals – Examples 3.2 Cauchy's Theorem Cauchy – Goursat Theorem		2.4 Linear Trans	formationw =	$\frac{1}{z}$, probl	ems					
2.6 Linear fractional transformations – An Implicit Form UNIT-III: (18 hours) (K1, K2, K3,K4) Complex Integration 3.1Definite integrals, Line and Contour Integrals – Examples 3.2 Cauchy's Theorem Cauchy – Goursat Theorem		2.5 Transformat	$\mathrm{ion}W=\sqrt{z}$, W	$V = e^z$	$W = \sin z$	and V	V = cosz			
Complex Integration 3.1Definite integrals, Line and Contour Integrals – Examples 3.2 Cauchy's Theorem Cauchy – Goursat Theorem										
Complex Integration 3.1Definite integrals, Line and Contour Integrals – Examples 3.2 Cauchy's Theorem Cauchy – Goursat Theorem		UNIT III. (19 hours) (K1 K2 K3 K4)								
3.1Definite integrals, Line and Contour Integrals – Examples3.2 Cauchy's Theorem Cauchy – Goursat Theorem		Complex Integration								
3.2 Cauchy's Theorem Cauchy – Goursat Theorem										
		_			_		г			
p.3 Cauchy integral loriniua		•	•	_ 3 0.11						
3.4 Derivatives of analytic functions – Morera's Theorem				tions –	Morera's T	heoren	1			
3.5 Cauchy's in-equality										
3.6 Liouville's theorem and the Fundamental theorem of algebra		_		Fundar	nental theor	em of	algebra			

	UNIT-IV: (18 hours) (K1, K2	2, K3 & K4)				
	Series					
	4.1 Convergence of sequence a	nd series				
	4.2 Convergence of series					
	4.3 Taylor series – Examples					
	4.4 Laurent series – Examples					
	4.5 Absolute and uniform conv	rergence of power series				
	4.6 uniform convergence of po					
	UNIT-V: (18 hours) (K1, K	2, K3 & K4)				
	Residues and Poles					
	5.1 Zeros of analytic functions					
	5.2 Singularities, Types of Sing					
	5.3 Theorem Riemann's Theor					
	5.4 Residues – Residue theorems					
	5.5 Residues at poles – Zeros and poles of order m					
5.6 Two types of integrals involving Sines and Cosines						
	nalComponent(isapartofinter, nottobeincludedintheexternal	Questionsrelatedtotheabovetopics,fromvariousco mpetitiveexaminationsUPSC/JAM/TNPSCandoth erstobesolved (To be discussed during the Tutorial hours)				
Recommended Text	. R. V.Churchill and J.W. Brow Hill Publishing Company, New	wn- Complex Variables and Applications- McGraw york, 6th Edition, 1996.				
ReferenceBooks	publishing Co., 1980, Reprint 2 2. S. Narayanan & Manicavach 3rd Edition. 1985.	agom Pillay- Complex Analysis, S.V. Publications, a Complex Variable - Krishna PrakashanMandir,				
Website and						
e-learning	1. https://nptel.ac.in					
source	2. <u>www.coursera.org</u>					
	3. https://swayam.gov.in/					

On completion of the course, the students should be able to

CO1: Know to define and give some of the important properties of complex analytic functions.

CO2: Learn certain elementary functions with special reference to the correspondence between certain portions of the z-plane and w-plane as determined by the relation between the function w and the independent variable z.

CO3: Become familiar with the integrals of analytic functions where many properties from calculus

is carried over to complex case.

CO4:. Expand the concept of sequence and series which plays a major part of calculus to the complex domain.

CO5: Learn to compute residues, which allow the determination of general contour integrals

		PSO						
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	M	Н	Н	L		
CO2	Н	M	L	Н	Н	L		
CO3	Н	Н	M	Н	Н	L		
CO4	Н	Н	M	Н	Н	L		
CO5	Н	L	M	Н	Н	L		

co			P	O		
	PO1	PO2	PO3	PO4	PO5	PO6
CO1	Н	Н	Н	L	L	Н
CO2	Н	Н	Н	L	L	Н
CO3	Н	Н	Н	M	L	Н
CO4	Н	Н	Н	M	M	Н
CO5	Н	Н	Н	M	M	Н

Title of the				MECI	HANICS			
Course								
Paper No.	Core XV							
Category	Core	Year	III Credits 4 Course				UCMAN24	
		Semester	VI			Code		
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total	
per week	5 1 6							
Prerequisites		condary Ma						
Objectives of the		e aims at giv	_					
course		_			_		l understanding of	
		definitions,						
		-			-	•	nd understanding of	
		definitions,					· · ·	
				•		11 "	nowledge and skills	
				_		o solve spe	cific theoretical and	
~ ~ ~		applied prob		•				
Course Outline	•	8 hours) (K	(1, K	2, K3 & K4	4)			
	Force	, ,						
		1.1 Newton's Laws of motion						
	1.2 Force	nt of tryo for	****	n a nautiala	Dooler	vonlea		
	1.3 Resultant of two forces on a particle – Book works							
	1.4 Resultant of two forces on a particle – Problems						oint	
	1.5 Resultant of three forces related to a triangle acting at a point1.6 Resultant of several forces acting on a particle						Offit	
		Sections 2.		_	-			
		8 hours) (K				<u> </u>		
	•	a Rigid Bo		-,	,			
		Ö	•					
	2.1 Equilib	rium of a pa	rticle	under three	e forces			
	2.2 Triangl	e of forces-I	Polygo	on of forces	S			
	2.3 Lami's	theorem						
	-	rium of a pa						
	-	rium of a pa						
							alar moment	
						Sections 4.1	, 4.1.1, 4.1.2.).	
	,	18 hours) (H	K1, K	2, K3 & K	4)			
	Friction							
	3.1 Types of forces – Friction – Definitions							
	3.2 Laws of friction							
		3.3 Limiting equilibrium of a particle on an inclined plane – Book Works 3.4 Limiting equilibrium of a particle on an inclined plane – Problems						
		g equinoriui ns involving				ieu piane – I	FIODICIIIS	
		ns involving ns involving						
		_				Chapter 5	5: Section 5.2; Omit	
	(Chapter 2. 5.2.1)	Section 2.1	, C	παριοί 3. δ	CCHOII 3.	2, Chapter 3	. Seedon 5.2, Onne	
	····							

	LIMIT IV. (19 hours) (I/1	V2 V2 9. V4\					
	UNIT-IV: (18 hours) (K1, Projectiles	N2, N3 & N4)					
	4.1 Forces on a projectile						
	4.2 Displacement as a combi	nation of vertical and					
	horizontal displacements						
	4.3 Nature of a trajectory – Results pertaining to the motion of a projectile						
	Maximum horizontal range f	· · ·					
	_	4.4 Projectiles- Problems					
	4.4 Projectiles Problems 4.5 Projectile projected on an inclined plane						
	4.6 Maximum range on an inclined plane						
	(Chapter 13: Sections 13.1, 13.1.1, 13.1.2, 13.1.3, 13.1.4, 13.2, 13.2.1; Omit						
	13.1.5, 13.1.6)						
	UNIT- V: (18 hours) (K1, K2, K3 & K4)						
	Central Orbit						
	5.1 Central orbit						
	5.2 Differential Equation of a	a central orbit					
	5.3 Laws of a central force						
	5.4 Methods to find the central orbits						
	5.5 Central orbit - Problems						
	5.6 Central orbit - Problems						
	(Chapter 16: Sections 16.	2, 16.2.1, 16.2.2, 16.2.3)					
Extended Profession	nal Component (isa part of	Questions related to the above topics, from					
internal component	only, not to beincluded in	various competitive examinationsUPSC/JAM					
theexternal examina	ution	/TNPSC and others to be solved					
question paper)		(To be discussed during the Tutorial hours)					
Recommended		ai Pandian, Muthamizh Jayapragasam - Mechanics —					
Text	S. Chand Publishing, 6 th Edit	non, 2015.					
D.f	1 IZ X/:	C. V Demander Emeral I Deliteration 1st					
ReferenceBooks		1. S. Kasi – Dynamics – Emerald Publication, 1 st					
	Edition, 1987. 2. M. K. Vankstraman, Dynamics, Agasthiar Publication, 9th Edition, 1999.						
	 M. K. Venkatraman – Dynamics – Agasthiar Publication, 9th Edition, 1999. A Ruina and R. Pradap, Introduction to Statics and Dynamics, Oxford 						
	University Press, 2014						
	University Press, 2014						
Website and e-	e-Resources:						
learning source	1. https://nptel.ac.in/						
	2. www.coursera.org						
	3. https://swayam.gov.in						
	1 1 1 1 1 1 1 1 1 1						

On completion of the course, the students should be able to

CO1: Familiarize with subject matter, which has been the single center, to which mathematicians, physicists, astronomers, and engineers were drawn together.

CO2: Understand necessary conditions for the equilibrium of particles acted upon by various forces and learn the principle of virtual work for a system of coplanar forces acting on a rigid body.

CO3: Understand static friction that exists between a stationary object and the surface On which it is resting and apply the knowledge and skills to solve specific theoretical and applied problems.

CO4: Understand simple harmonic motion and projectiles.

CO5: Demonstrate methods to locate central orbits.

	PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6		
CO1	Н	Н	Н	Н	Н	L		
CO2	Н	M	Н	M	Н	L		
CO3	Н	M	Н	M	Н	L		
CO4	Н	Н	Н	Н	Н	L		
CO5	Н	Н	Н	Н	M	L		

		PO						
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO1	Н	Н	Н	Н	Н	L		
CO2	Н	M	Н	M	Н	L		
CO3	Н	M	Н	M	Н	L		
CO4	Н	Н	Н	Н	Н	L		
CO5	Н	Н	Н	Н	M	L		

Course Paper No.		ELECTIVE: FUZZY SETS AND ITS APPLICATIONS							
Paper No.	Discipline Specific Elective IV								
_	Discipline	Year							
.	Specific	Semester	IV			Code			
	Elective								
Instructional hours	Lecture								
per week	4						4		
Prerequisites	Higher Sec	condary Mat	thema	atics					
Objectives of the	The course	aims at giv	ing a	n overall v	iew of the				
course		-	_		•		cal perspective. h topic fuzzy sets.		
Course Outline	UNIT I (1:	2 hours) (K	1. K2	2. K3 & K4	4)				
	Fuzzy Sets		-,	, === •• ••	,				
	1.1 Sets – A brief introduction								
	1.2 Fuzz	y Sets: Intro	oduct	ion and def	inition				
	1.3 Types of Fuzzy Sets								
	1.4 General								
	-	es of fuzzy s							
]	1.6 Other in	nportant ope	ratio	ns					
	•	hours) (Ki on Fuzzy S	-	, K3 & K4	.)				
	-	on Fuzzy S operations o		7731 CATC					
		ms and T – (•					
		nd Intersecti			r and Yage	er			
		on principal	-		C				
2	2.5 Extension	on principal	for F	uzzy sets					
2	2.6 Aggregation Operations								
	UNIT-III: (12 hours) (K1, K2, K3 & K4) Fuzzy Graphs and Fuzzy Relation								
3	3.1 Fuzzy Graphs								
3	3.2 Fuzzy R	elations 3.3	Com	position of	Fuzzy Re	lations			
		es of Fuzzy		•	S				
		a finite fuzzy		oh					
3	3.6 Fuzzy p	reorder relat	ions						

	UNIT-IV: (12 hours) (K1, K2, K3 & K4) Fuzzy Graph and Fuzzy Relation 4.1 Similitude Relation 4.2 Antisymmetric and Fuzzy Order Relation 4.3 Dissimilitude Relation 4.4 Resemblance Relation 4.5 Various properties of Similitude and Resemblance Relation 4.6 Various properties of Fuzzy Perfect Order Relations					
	UNIT-V: (12 hours) (K1, K2, K3 & K4) Decision Making in Fuzzy Environment 1.1 Introduction 1.2 Individual Decision Making 1.3 Mult person Decision Making 1.4 Multicriteria Decision Making 1.5 Fuzzy Ranking Method 1.6 Fuzzy Linear Programming					
	al Component (isa part of only, not to beincluded in ion	Questions related to the above topics, from various competitive examinations UPSC/JAM /TNPSC and others to be solved (To be discussed during the Tutorial hours)				
Recommended Text	 Sudhir k. Pundir and Rimple Pundir- Fuzzy Sets and their Application Pragati Prakashan Educational Publishers, Meerut, 2013. A. Kaufmann, L.A. Zadeh and D.L. Swanson – Introduction to th Theory of Fuzzy Subsets – Academic Press, New York, 1975. 					
ReferenceBooks	 George J. Klir and Bo Yuan -Fuzzy Sets and Fuzzy Logic: Theory an Applications, Prentice Hall of India Pvt. Ltd., New Delhi, 2000. Zimmerman H.J Fuzzy Set Theory and its Applications, Allie Publishers Ltd., Second Edition, 1996. 					
Website and e- learning source	4. https://nptel.ac.in 5. www.coursera.org 6. https://swayam.gov.in/					

On completion of the course, the students should be able to

CO1: Distinguish between classical crisp set and fuzzy set using characteristic function and membership function respectively.

CO2: Understand the operations on the fuzzy set which are generalization of crisp set operations.

CO3: Represent the notion of fuzzy relational and fuzzy graph based upon the max-min composition.

CO4: Different types of relationships with its graphical representations.

CO5: Know about the application of fuzzy sets in decision making environment.

СО		PO							
	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	L	L	Н			
CO2	Н	Н	Н	L	L	Н			
CO3	Н	Н	Н	M	L	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	Н	Н	M	M	Н			

СО		PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	M	L	Н	L			
CO2	Н	Н	M	M	Н	L			
CO3	Н	Н	M	Н	Н	L			
CO4	Н	Н	Н	Н	Н	L			
CO5	Н	Н	L	M	Н	L			

Paper No. Category Discipline Specific Elective VI Category Discipline Specific Elective VI Discipline Specific Semester VI Elective Instructional Lecture Tutorial Lab Practice Total Higher Secondary Mathematics Objectives of the course 1. To introduce students to the concept of basic discrete mathematics, the enhancing the logical thinking of the students with regard to disc domain. 2. To train the students in the applications of the discrete mathema structures. 3. To construct the ability of students to work independently and do indistudy of various notions of discrete mathematics. Course Outline UNIT I (12 hours) (K1, K2, K3 & K4) Partially Ordered Sets 1.1 Definitions, examples and basic properties of partially ordered sets (poset) 1.2 Order isomorphism, Hasse diagrams 1.3 Dual of a poset, Duality principle 1.4 Maximal and minimal elements 1.5 Least upper bound and greatest upper bound 1.6 Building new poset, Maps between posets Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices 2.6 Complemented, relatively complemented and sectionally complemented latti	Title of the		ELETIVE: DISCRETE MATHEMATICS								
Discipline Specific Semester VI	Course	D: : 1: G	· · · · · · · · · · · · · · · · · · ·								
Specific Elective Semester VI											
Instructional hours per week	Category	-			Credits	3		UEMAF24			
Instructional hours per week		_	Semester	VI			Code				
hours per week Prerequisites Objectives of the course 1. To introduce students to the concept of basic discrete mathematics, the enhancing the logical thinking of the students with regard to disc domain. 2. To train the students in the applications of the discrete mathema structures. 3. To construct the ability of students to work independently and do independently and of various notions of discrete mathematics. Course Outline UNIT I (12 hours) (K1, K2, K3 & K4) Partially Ordered Sets 1.1 Definitions, examples and basic properties of partially ordered sets (poset) 1.2 Order isomorphism, Hasse diagrams 1.3 Dual of a poset, Duality principle 1.4 Maximal and minimal elements 1.5 Least upper bound and greatest upper bound 1.6 Building new poset, Maps between posets Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices	Instructional		Tutorial	I	h Practica		Т	otal			
Prerequisites Objectives of the course 1. To introduce students to the concept of basic discrete mathematics, the enhancing the logical thinking of the students with regard to disc domain. 2. To train the students in the applications of the discrete mathema structures. 3. To construct the ability of students to work independently and do independently and of various notions of discrete mathematics. Course Outline UNIT I (12 hours) (K1, K2, K3 & K4) Partially Ordered Sets 1.1 Definitions, examples and basic properties of partially ordered sets (poset) 1.2 Order isomorphism, Hasse diagrams 1.3 Dual of a poset, Duality principle 1.4 Maximal and minimal elements 1.5 Least upper bound and greatest upper bound 1.6 Building new poset, Maps between posets Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices											
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1.2 Order isomorphism, Hasse diagrams 1.3 Dual of a poset, Duality principle 1.4 Maximal and minimal elements 1.5 Least upper bound and greatest upper bound 1.6 Building new poset, Maps between posets Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices		· · · · · · · · · · · · · · · · · · ·									
1.4 Maximal and minimal elements 1.5 Least upper bound and greatest upper bound 1.6 Building new poset, Maps between posets Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices											
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1.6 Building new poset, Maps between posets Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices		1.4 Maximal and									
Unit II (12 hours) (K1, K2, K3 & K4) Lattices 2.1 Lattices as posets 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms — Definitions and examples 2.5 Properties of modular and distributive lattices			_								
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 2.2 Lattices as algebraic structures 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices 											
 2.3 Sub lattices 2.4 Products and homomorphisms – Definitions and examples 2.5 Properties of modular and distributive lattices 		-									
2.4 Products and homomorphisms – Definitions and examples2.5 Properties of modular and distributive lattices			gebraic structure	S							
2.5 Properties of modular and distributive lattices			1 1'	ъс.	1	1	1				
*						xamp	ies				
2.6 Complemented, relatively complemented and sectionary complemented fath		-				onolly	u aamnlama	ntad lattiaas			
		.6 Complemented, relatively complemented and sectionally complemented lattices									
UNIT-III: (12 hours) (K1, K2, K3 & K4)		UNIT-III: (12 hours) (K1, K2, K3 & K4) Boolean Algebras and Switching Circuits									
3.1 Boolean algebras, De Morgan's laws											
3.2 Boolean homomorphism, Representation theorem											
3.3 Boolean polynomials, Boolean polynomial functions						ns					
3.4 Disjunctive and conjunctive normal forms											
3.5 Minimal forms of Boolean polynomials			_	-							
3.6 Quine-McCluskey method, Karnaugh diagrams, Switching circuits		3.6 Quine-McClı	uskey method, K	arnaugh d	iagrams, Sv	witchi	ing circuits				

	UNIT-IV: (12 hours) (K1, K2, Finite-State and Turing Machi 4.1 Finite-state machines with ou	nes						
	4.2 Finite-state machines with no	.2 Finite-state machines with no output .3 Deterministic finite-state automaton						
	4.4 Nondeterministic finite-state	automaton						
	4.5 Turing machines – Definition4.6 Turing machines - examples							
	UNIT-V: (12 hours) (K1, K2, I	K3 & K4)						
		ic properties of graphs Complete graphs - Bipartite graphs aths and circuits - Eulerian circuits - Hamiltonian						
	*	l graph - Travelling salesman problem						
ExtendedProfession	onalComponent(isapartofinter y,nottobeincludedintheexternal erstobesolved (TobediscussedduringtheTutorialhours) Questionsrelatedtotheabovetopics,fromvariouscompetitiveexaminationsUPSC/JAM/TNPSCandoteerstobesolved (TobediscussedduringtheTutorialhours)							
Recommende d Text	B. A. Davey & H. A. Priestley (2002). Introduction to Lattices and Order (2nd edition). Cambridge University Press. One of the control of the cont							
	with Graph Theory (3rd edition).Pe	chael M. Parmenter (2018). Discrete Mathematics						
ReferenceBoo ks		z (1998). Applied Abstract Algebra (2nd edition).						
		o. Discrete Mathematics and its Applications: With eory (7th edition).McGraw-Hill.						
	3. C. L. Liu (1985). Elements of Discrete Mathematics (2nd edition). McGraw-Hill.							
Websiteande- learningsourc e	1. https://nptel.ac.in 2. www.coursera.org 3. https://swayam.gov.in/							

CO1: Learn about partially ordered sets

CO2: Understand lattices and their types

CO3: Understand Boolean algebra and Boolean functions, logic gates, switching circuits and their applications.

CO4: Solve real-life problems using finite-state and Turing machines.

CO5: Assimilate various graph theoretic concepts and familiarize with their applications.

co		РО							
	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	L	L	Н			
CO2	Н	Н	Н	L	L	Н			
CO ₃	Н	Н	Н	M	L	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	Н	Н	M	M	Н			

СО			PS	SO		
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6
CO1	Н	Н	M	M	M	L
CO2	Н	Н	Н	M	Н	L
CO3	Н	M	Н	M	Н	L
CO4	Н	M	M	Н	Н	L
CO5	Н	Н	M	M	Н	L

Title of the	ELECTIVE: OBJECT ORIENTED PROGRAMMING USING C++						
Course							
Paper No.	Generic Elective VIII						
Category	Generic	Year	III	II Credits 2		Course	UEMAG24
	Elective	Semester	IV	IV		Code	
Instructional hours	Lecture	Tutorial		Lab Prac	ctice		Total
per week	3	3					
Prerequisites	Higher Secondary Mathematics						
Objectives of the	The cours	e aims at giv	ving a	ın overall v	iew of the	2	
course	 To 	introduce st	tuden	ts to the c	oncept of	object-ori	ented programming
	with	n C++, there	eby e	nhancing t	he logical	thinking o	of the students with
	rega	ard to progra	ımmiı	ng.			
	 To 	train the st	udent	s to apply	the prog	ramming c	concepts of C++ to
				-	-	_	
	• To	mathematical investigations and problem solving. To construct the ability of students to work independently and do in-					ently and do in-
	dep	depth study of various notions of programming.					
Course Outline	UNIT I (9 hours) (K1, K2, K3 & K4)						
	Principles of OOP and Introduction to C++, Tokens						
	1.1 Basic concepts of object-oriented programming – Benefits of OOP						
	1.2 Structure of C++ Program - Tokens - Keywords						
	1.3 Identifiers and constants						
	1.4 Basic data types- Symbolic constants						
	1.5 Type compatibility - Declaration of variables						
	1.6 Dynamic Initialization of variables						
	Unit II (9	hours) (K1	s) (K1, K2, K3 & K4)				
		, Expression					
	2.1 Operato	ors in C++ -	Scop	e Resolutio	n Operato	r	
	2.2 Membe	r Dereferenc	cing c	perators –	Memory n	nanagemen	t operators
	-	ılators – Typ		-			
	-	sions and the	• •				
	2.5 Special assignment expressions						
	2.6 Implicit conversions – Operator overloading						
	UNIT-III: (9 hours) (K1, K2, K3 & K4)						
	Functions in C++, Classes, and Objects						
	3.1 Introd	luction- Fun	ction	Prototypin	g-Call by	reference -F	Return by reference
	3.2 Inline	Functions-I	Defau	lt argumen	ts-const ar	guments-F	unction overloading
	-	fying a class		_			
				ction inline	-Nesting o	of member f	functions -Private
		per functions					
		s of objects					
		dly functions	s - Re	eturning ob	jects – cor	nst member	
	functi	ons					

	TIME IV. (O L	72 172 0 174)			
	UNIT-IV: (9 hours) (K1, I				
	4.1Introduction – Constructo	tors, Operator Overloading			
		rs – Multiple constructors in a			
	class A 2 Constructors with default	orguments Conv			
	4.3 Constructors with default constructor	arguments – Copy			

	4.4 const objects – Destructo4.5 Defining operator overloa				
	0 1	tors-Overloading binary operators			
	UNIT-V: (9 hours) (K1, K2				
		naging console I/O Operations			
	5.1 Introduction – Defining of				
		ng a private member inheritable.			
	5.3 Multiple inheritance	ng a private member inneritable.			
	5.4 Pointers – Pointers to Ob	iacte			
	5.5 Unformatted I/O Operation				
	5.6 Formatted console I/O operations				
Extended Professiona	al Component (isa part of	Questions related to the above topics, from			
internal component c	nternal component only, not to be included in various competitive examinations UPSC/JAM				
theexternal examinat	•				
question paper)	(To be discussed during the Tutorial hours)				
	(10 be discussed during the Tutorial Hours)				
Recommended	E Dalagurugamy Ohioa	t Oriented Dreamaning with Coll Oth Edition			
Text		t Oriented Programming with C++, 8 th Edition,			
Text	McGraw Hill Educatio	on Private Ltd, New Delhi, India, 2022.			
ReferenceBooks	1 Dobout Lafous Ol	high Oriented Dragramming in Migragoft City			
Referencebooks		bject Oriented Programming in Microsoft C++ -, Fourth Edition, 2009.			
		The Complete Reference C++, Tata McGraw Hill			
	Publication, 4 th Editi				
	1	on, 2002. ogramming in C++, Robert Lafore, 4 th Edition,			
	Pearson Publications				
	Tearson Tublications	, 2008.			
Website and e-					
learning source	1. https://nptel.ac.in/				
Tour ming bour cc	2. www.coursera.org				
	3. https://swayam.gov.in				
	D. LIVED DOLLED TO THE PROPERTY OF STATE				

On completion of the course, the students should be able to

CO1: Understand the basics of programming in C++ such as tokens, data types, operators etc.

CO2: Use the Decision making-branching and looping statements in C++ programming.

CO3: Handle the concept of arrays and the concept of the user define functions.

CO4: Express the uses of structures and pointers.

CO5: Understand and apply the programming concepts of C to problem solving.

		PSO							
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	Н	Н	L	Н			
CO ₂	Н	M	Н	M	M	Н			
CO3	Н	M	Н	M	M	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	M	Н	M	Н	Н			

		PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6			
CO1	Н	Н	Н	M	M	Н			
CO ₂	Н	Н	Н	M	M	Н			
CO ₃	Н	Н	Н	M	M	Н			
CO4	Н	Н	Н	M	M	Н			
CO5	Н	Н	Н	M	M	Н			

Title of the Course		I	ELEC	CTIVE PI	RACTIC	AL: C++	
Paper No. Category		Year Semester	III IV	Credits	1	Course Code	UEMAH24
Instructional	Lecture	Tutorial	1 4	Lab Pra	ctice	Couc	Total
hours per week	Dectare	Tutoriai		2	cticc		2
Prerequisites	Higher S	econdary N	l Iathe				
Objectives of the	Higher Secondary Mathematics The course aims at giving an overall view of the						
course	 To introduce students to the concept of basic programming, thereby enhancing the logical thinking of the students with regard to programming. To train the students to apply the programming concepts of C to mathematical investigations and problem solving. To enhance the ability of students to work independently and do in-depth study of various notions of programming. 						
Course Outline	 Simple program using class and object. Find largest of three numbers using all types of constructors. Calculation of Mean and Standard Deviation. Selection sort. Product of matrices. String manipulation. Operator overloading (Unary) Arrays of Object. Function Overloading. Implementing Inheritance. (Multiple) 						
Extended Professio of internal compone included in theexte	nal Component (isa part ent only, not to be Questions related to the above topics, from various competitive examinationsUPSC/JAM				ations UPSC/JAM		
question paper)	rnal examination /TNPSC and others to be solved (To be discussed during the Tutorial hours)						
Recommended Text	E. Balagurusamy, Object Oriented Programming with C++, 8 th Edition, Tata McGraw – Hill Education Private Ltd. New Delhi, India, 2022.						
ReferenceBooks	 Robert Lafore – Object Oriented Programming in Microsoft C++ - Galgotia Publication, Fourth Edition, 2009. Herbert Schildt – The Complete Reference C++, Tata McGraw Hill Publication, 4th Edition, 2002. Object Oriented Programming in C++, Robert Lafore, 4th Edition, Pearson Publications, 2008. 						

Website and e-	1. https://nptel.ac.in/
learning source	2. <u>www.coursera.org</u>
	3. https://swayam.gov.in

On completion of the course, the students should be able to

CO1: Implement programs with class and constructors.

CO2: Write programs that perform operations using derived data types and functions.

CO3: Demonstrate a thorough understanding of arrays by designing and implementing programs that search and sort arrays.

CO4: Use inheritance properties that promote code reuse in C++.

CO5: Overload functions and operators in C++.

	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO1	Н	Н	Н	M	M	Н		
CO2	Н	Н	Н	M	M	Н		
CO3	Н	Н	Н	M	M	Н		
CO4	Н	Н	Н	M	M	Н		
CO5	Н	Н	Н	M	M	Н		

	PSO								
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	Н	Н	L	Н			
CO ₂	Н	M	Н	M	M	Н			
CO3	Н	M	Н	M	M	Н			
CO4	Н	Н	Н	Н	L	Н			
CO5	Н	M	Н	Н	L	Н			

Title of the	MAT	HEMATI	CS F	OR COM	PETITI	VE EXAN	MINATIONS	
Course								
Paper No.	SEC 8							
Category	Professi	Year	III	Credits	2	Course UPMA24		
	onal	Semester	IV			Code		
	Compete							
	ncy							
Instructional	Lecture	Tutorial		Lab Pra	ctice	Total		
hours per week	2					2		
Prerequisites	Higher S	econdary N	lathe	ematics				
Objectives of the	The cours	se aims at g	givin	g an overa	ll view o	f the		
course	• To	revitalize t	he ba	asic knowl	edge of n	nathematic	s and problem-	
	sol	ving skills.						
	• To	enhance lo	gical	l, analytica	l, and cri	tical thinki	ing of learners.	
	• To	help the lea	arnei	s to acquii	re satisfac	tory comp	etency using	
	vei	bal and nor	ivert	oal reasoni	ng			
	• To	help the stu	ıden	ts to prepa	re for var	ious comp	etitive	
	 To help the students to prepare for various competitive examinations. 							
Course Outline	UNIT I (6 hours) (K1, K2, K3 & K4) Numerical Ability Numbers, H.C.F. & L.C.M. of Numbers, Simplification, Decimal Fractions, Square Roots & Cube Roots, Averages, Percentage, Ratio and Proportion.							
	Unit II (6 hours) (K1, K2, K3 & K4) Numerical Ability (Continued) Ages, Time and Work, Time and Distance, Profit and Loss, Simple							
						Combinatio	on, Probability	
		(e hours)	(K 1	, K2, K3	& K4)			
		erpretation		. 61				
		i, Bar Grap						
	UNIT-IV: (6 hours) (K1, K2, K3 & K4) Verbal Reasoning							
	Series, Blood Relations, Puzzles							
	UNIT-V: (6 hours) (K1, K2, K3 & K4) Verbal Reasoning (Continued)							
	Direction Sense Test, Alphabet test, Ranking and Time sequence test							

Extended Professio	nal Component (isa part	Questions related to the above topics, from			
of internal compone	ent only, not to be	various competitive examinations UPSC/JAM			
included in theexte	rnal examination	/TNPSC and others to be solved			
question paper)		(To be discussed during the Tutorial hours)			
Recommended	1. Dr. R. S. Aggarwal	A Modern Approach to Verbal and Non-			
Text	Verbal Reasoning -	-Revised Edition – 2019 – S. Chand and Co.			
	2. Dr. R. S. Aggarwal	– Quantitative Aptitude – Seventh Edition – S.			
	Chand and Co., 202	19			
ReferenceBooks	1. AbhijitGuha, Quantitat	tive Aptitude for Competitive Examinations,			
	McGraw Education				
	Series, 5 th Edition 20	19			
	2. Dinesh Khattar, Quantit	ative Aptitude for Competitive Examinations,			
	Pearson India, Edition				
	2019.				
	3. Sarvesh K. Verma, Quai	ntitative Aptitude Quantum CAT 2018, Arihant			
	publication, Edition 2018.				
Website and e-	1. https://nptel.ac.in/				
learning source	2. www.coursera.org				
	3. www.indiabix.com				

On completion of the course, the students should be able to

CO1: Gain critical thinking and numerical ability to solve problems.

CO2: Apply the concepts of quantitative aptitude to solve real life problems.

CO3: Interpret and use data represented in different forms.

CO4: Reason out verbally and non-verbally.

CO5: Write various competitive exams for higher studies and jobs

	PSO								
CO	PSO1	PSO2	PSO3	PSO4	PSO5	PSO6			
CO1	Н	Н	Н	Н	Н	L			
CO ₂	Н	M	Н	M	Н	L			
CO ₃	Н	M	Н	M	Н	L			
CO4	Н	Н	Н	Н	L	L			
CO5	Н	M	Н	Н	L	L			

	PO							
CO	PO1	PO2	PO3	PO4	PO5	PO6		
CO1	Н	Н	Н	M	M	Н		
CO2	Н	Н	Н	M	M	Н		
CO3	Н	Н	Н	M	M	Н		
CO4	Н	Н	Н	M	M	Н		
CO5	Н	Н	Н	M	M	Н		